

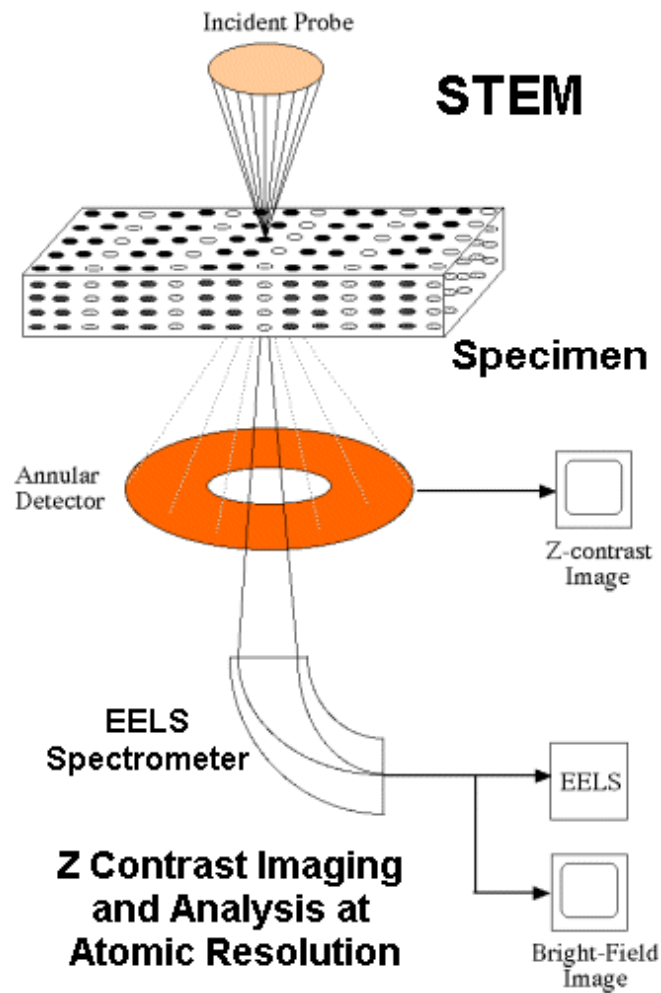
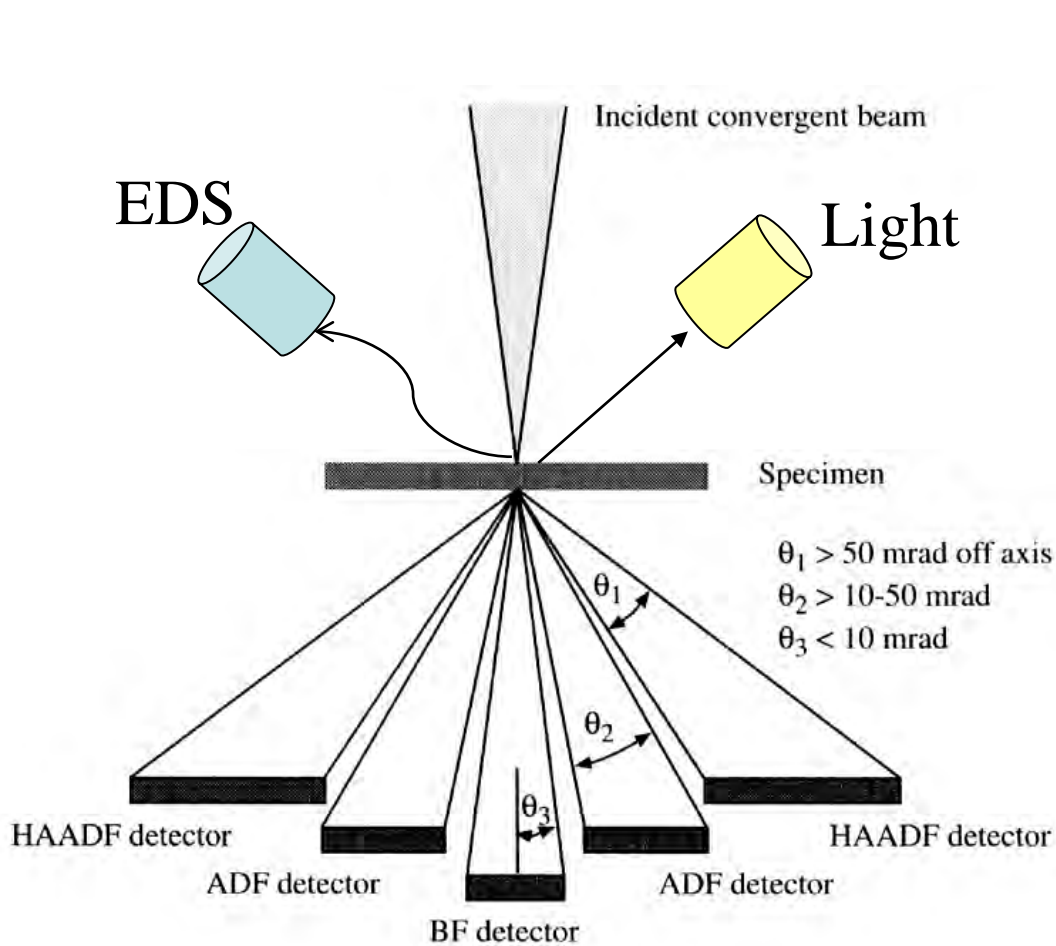


EELS

Electron Energy Loss Spectroscopy

(Thanks to Steve Pennycook, Quan Li, Charlie Lyman, Ondre Krivenak, David Muller, David Bell, Natasha Erdman, Nestor Zaluzec and others)

Generic Structure of STEM



What Matters?

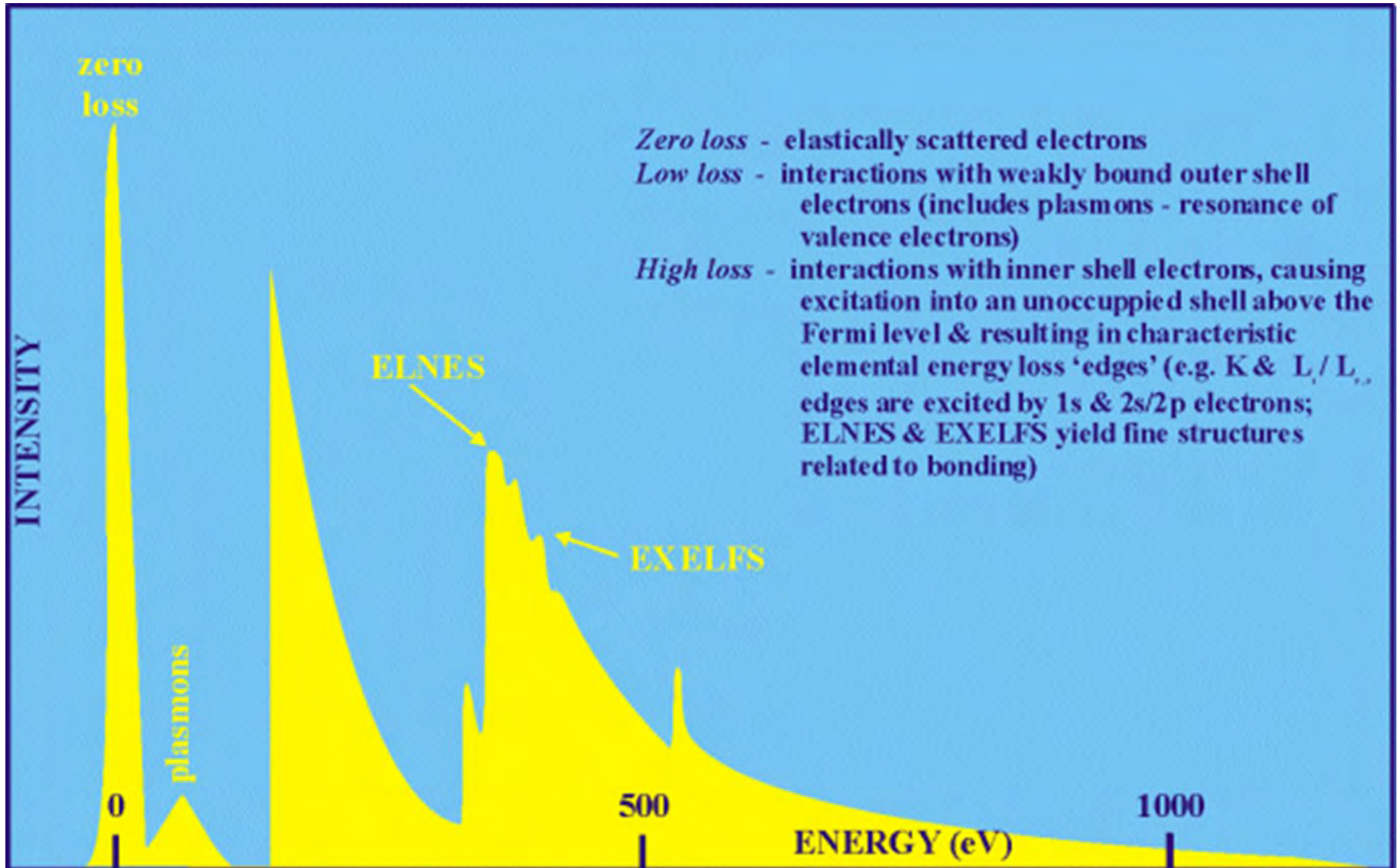
Initial State

- Core Electron
- Valence Electron
- Selection Rules
- Bonding
- Local Environment
- Sample

Final State/Detector

- ~~X-ray~~
- ~~Light~~
- ~~Heat/Sound~~
- Electrons which have lost energy
- Background
- Efficiency for different elements/modes
- \$\$ On detector

Spectrum

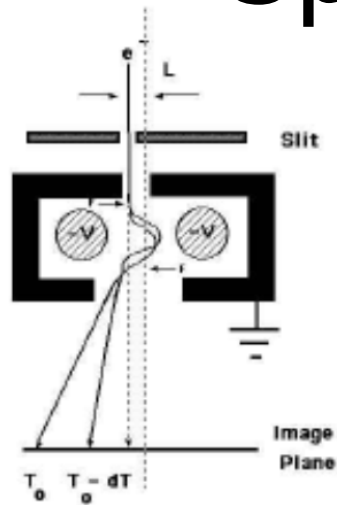




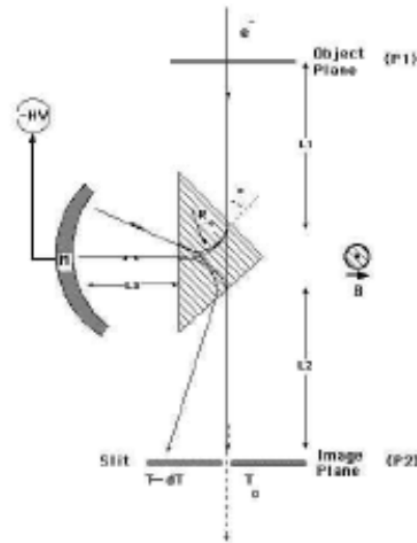
Comparison

- **EDS**
 - *Low collection efficiency (small solid angle)*
 - *Good peak/background*
 - *Good for high-Z elements*
 - *SEM (~500 nm) or TEM (~10 nm)*
 - *Stray x-rays in the column can be mistaken for trace elements*
- **EELS**
 - *TEM only & thin samples*
 - *High collection efficiency (~90%)*
 - *Poor peak/background (esp in thick samples)*
 - *Best for low-Z elements (large signals)*
 - *Bonding information for $Z < 33$*
 - *High spatial resolution (0.1 – 1 nm)*

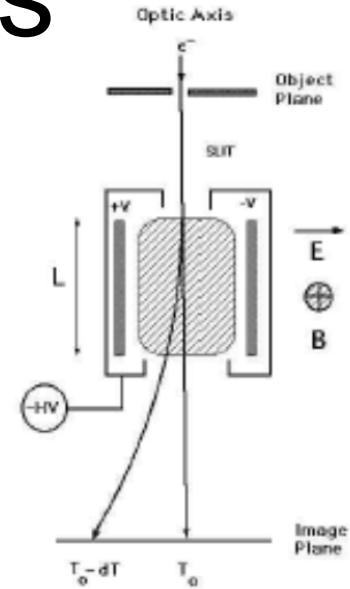
Spectrometers



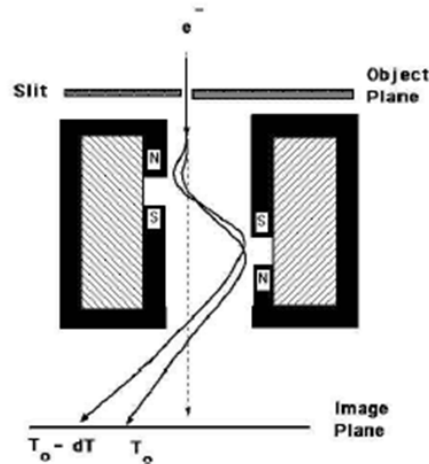
Mollenstedt Analyzer



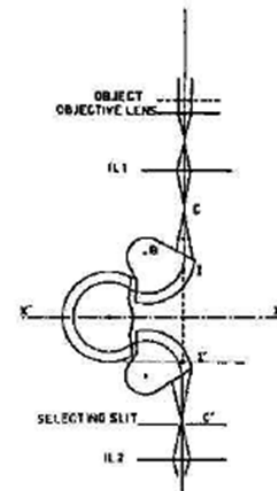
Castaing-Henry Filter



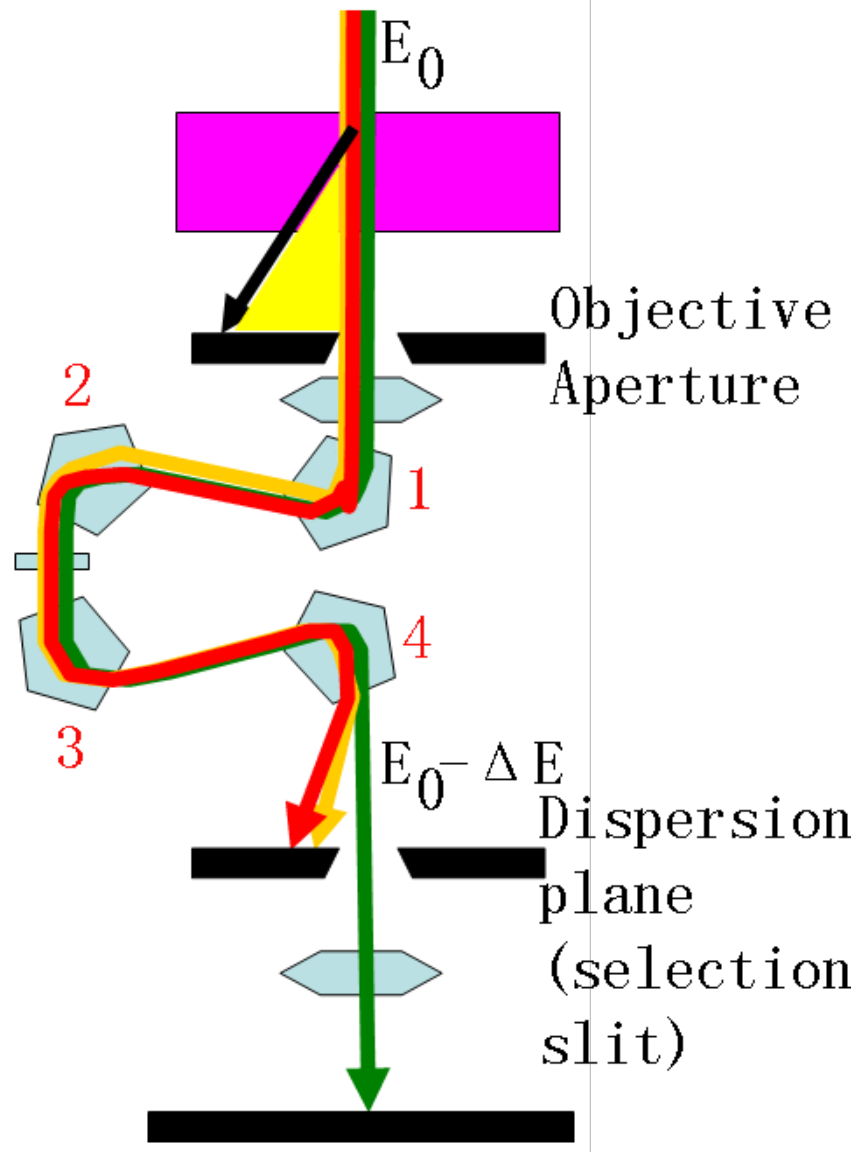
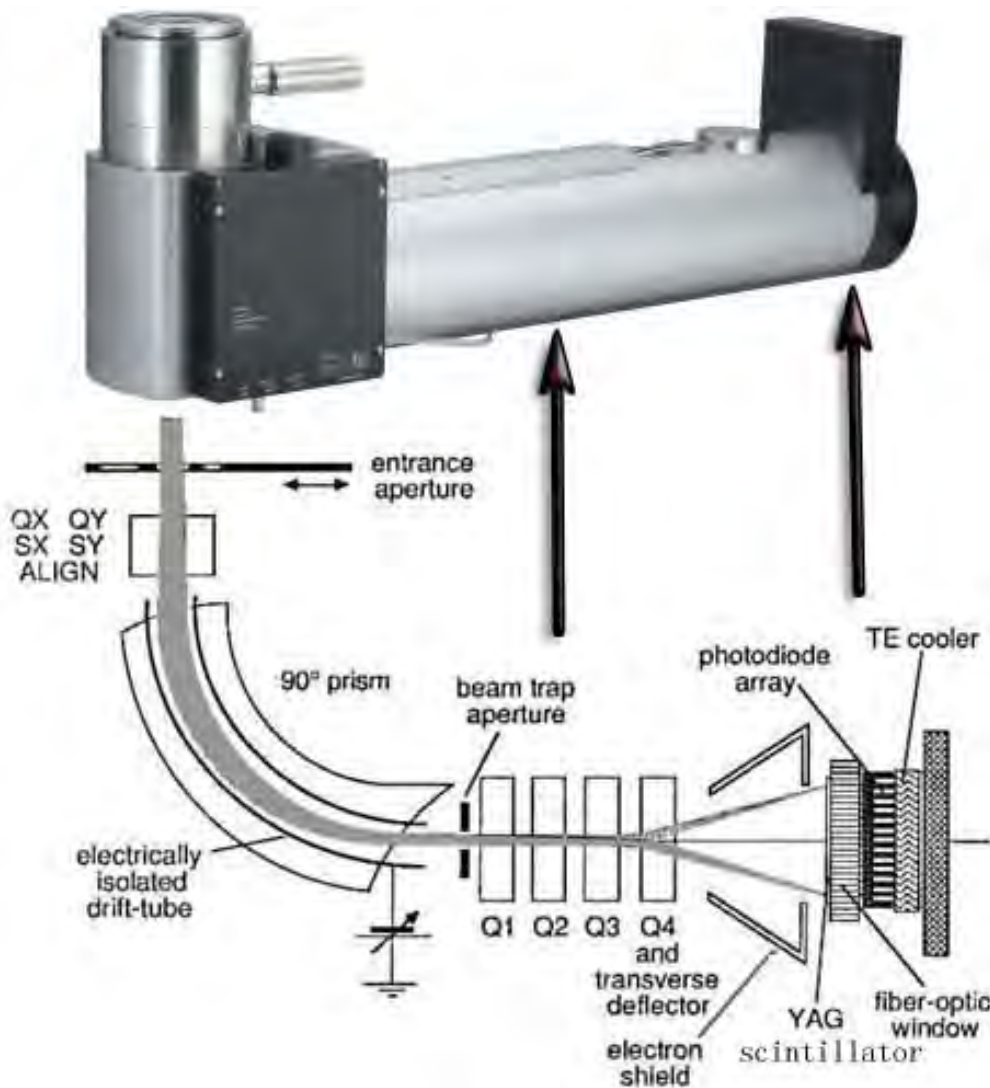
Wien Filter



Cylindrical Magnetic Analyzer



Omega Filter



www.globalsino.com/EM/

Retractable TV-rate camera

1k x 1k/2k x 2k/10k x 10k multiScan CCD camera

25-hole mask

Pre-filter optical configuration

3rd-order filter aberration corrector

Large 5 mm entrance aperture

Patented alignment mask

Dispersion and focusing section

Automated filter tuning
Mature application software

Projection section

2nd-order corrected prism design

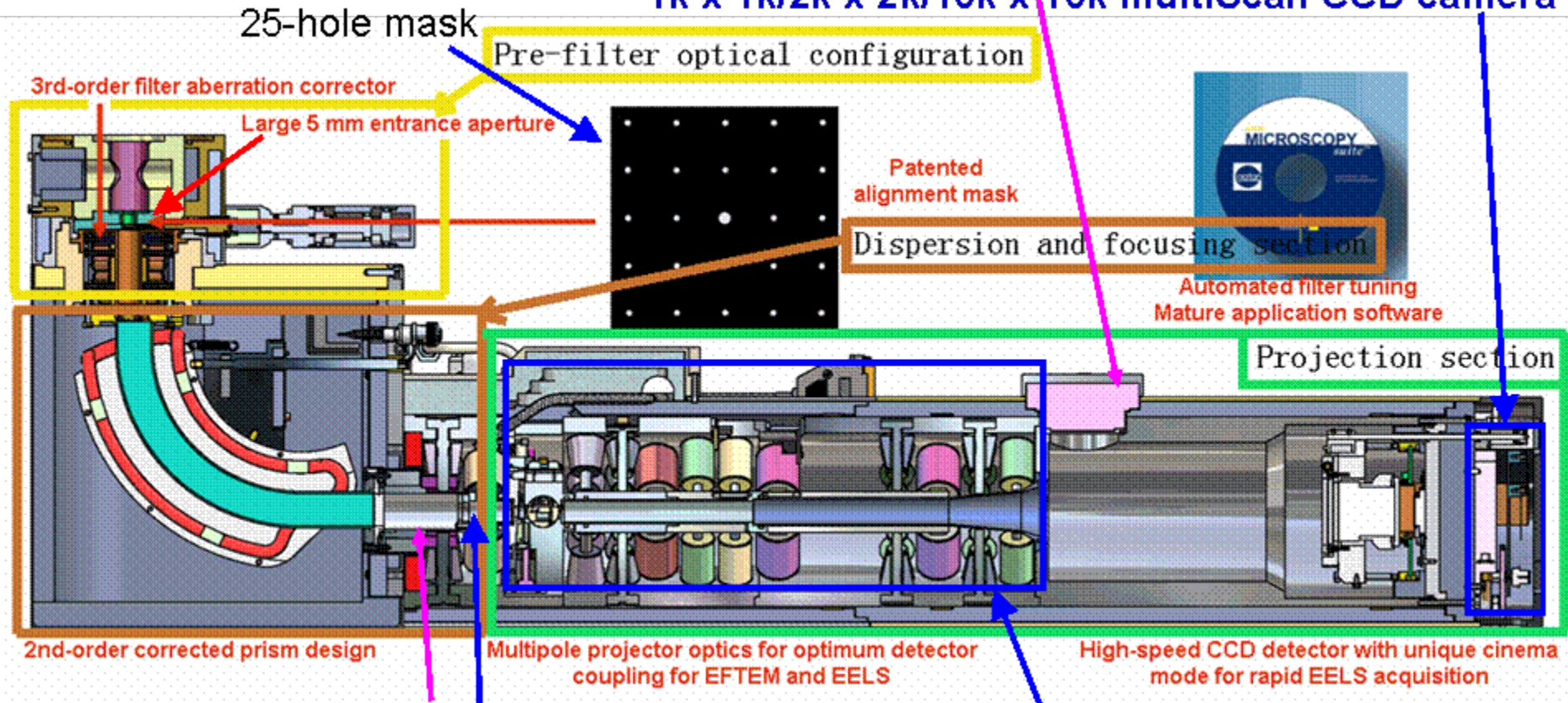
Multipole projector optics for optimum detector coupling for EFTEM and EELS

High-speed CCD detector with unique cinema mode for rapid EELS acquisition

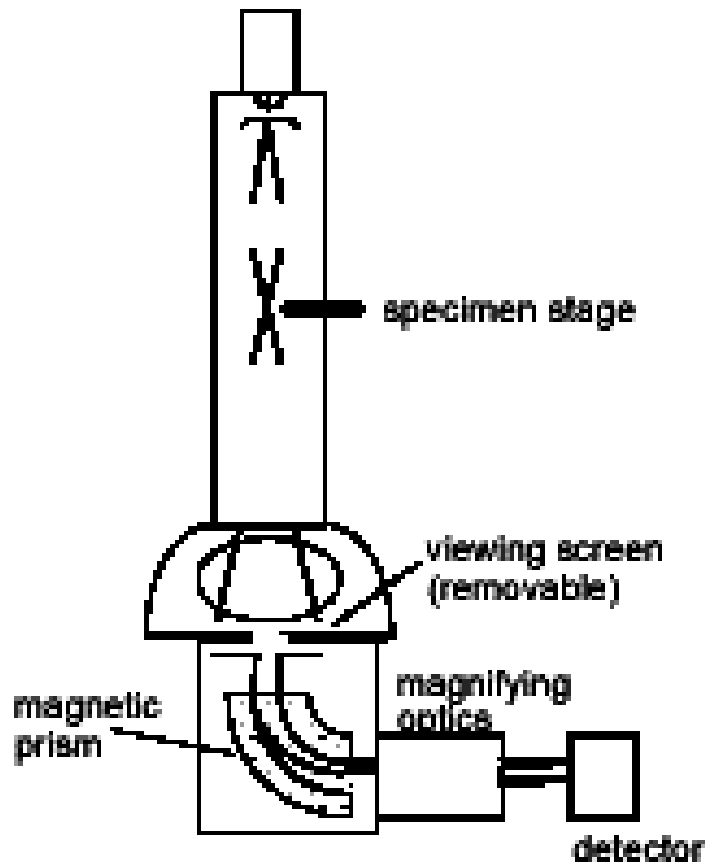
Drift tube

Quadrupole/Sextupole/octupole lenses

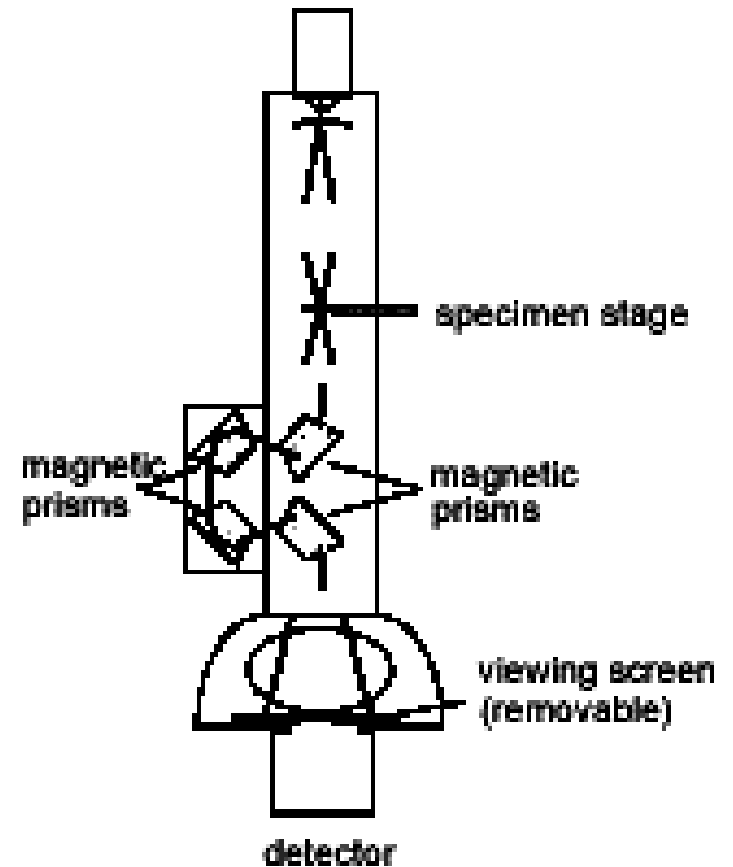
Piezo-controlled energy-selecting slit



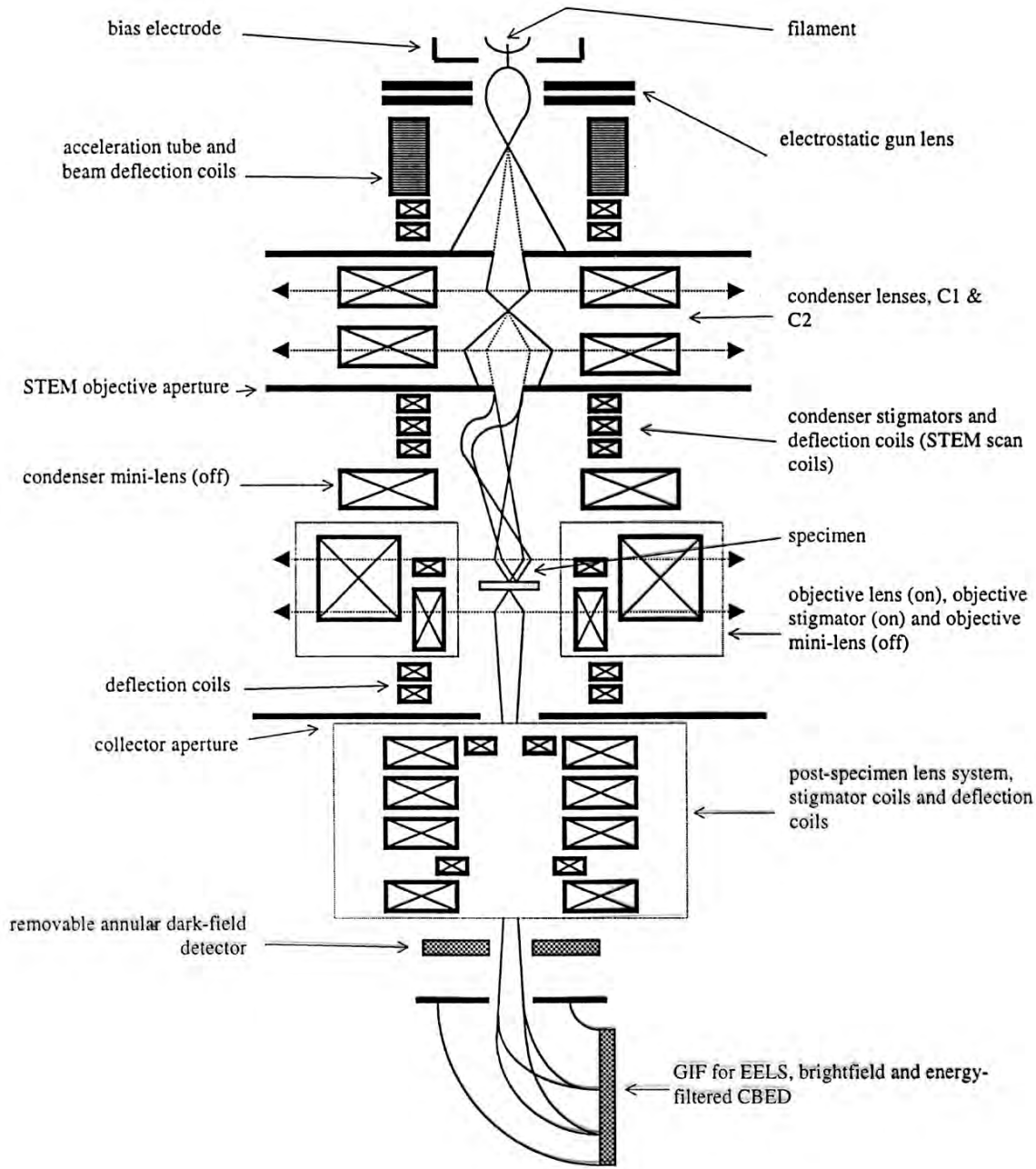
Electron energy filter/spectrometer configurations in TEM



Post-column filtering

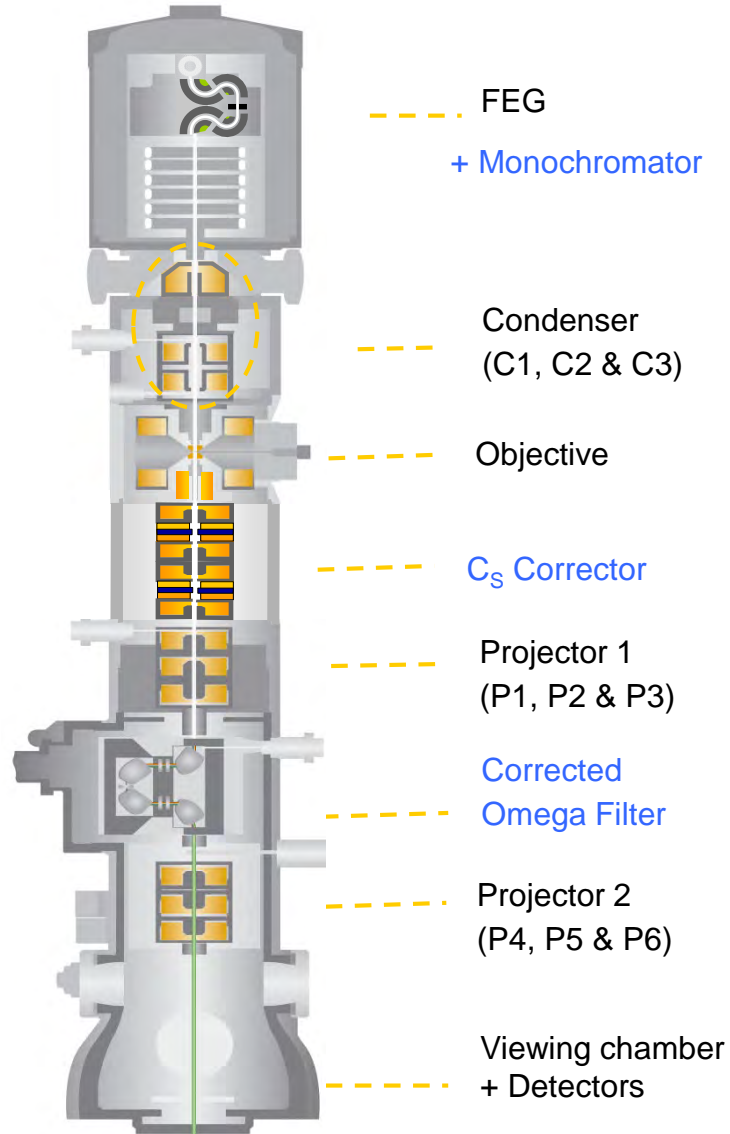
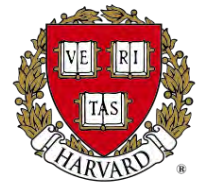


In-column filtering

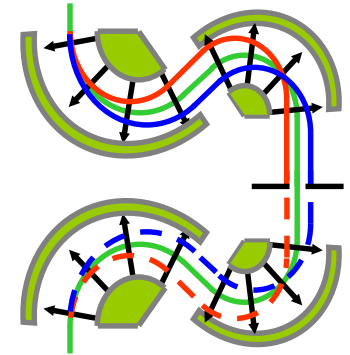


FEG STEM at UIC

LIBRA 200[®] C_s and Monochromator



Monochromator



dispersive plane (slit)

- Dispersion free
- Ease of use
- 30% of intensity at 0.2eV

Nion U-HERMES™* STEM and Iris EELS

***Ultra-High Energy
Resolution
Monochromated
EELS-STEM**

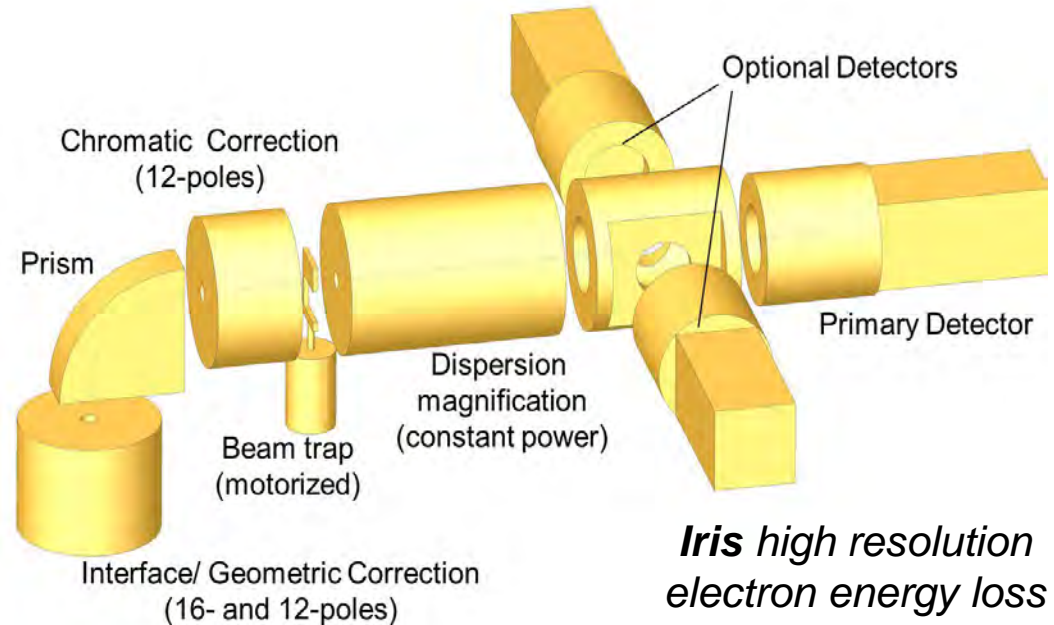
Iris
spectro-
meter

Side-entry stage
with liquid N2
cooling

C3-C5
aberration
corrector

Nion
monochromator

100 or 200 kV
CFEG

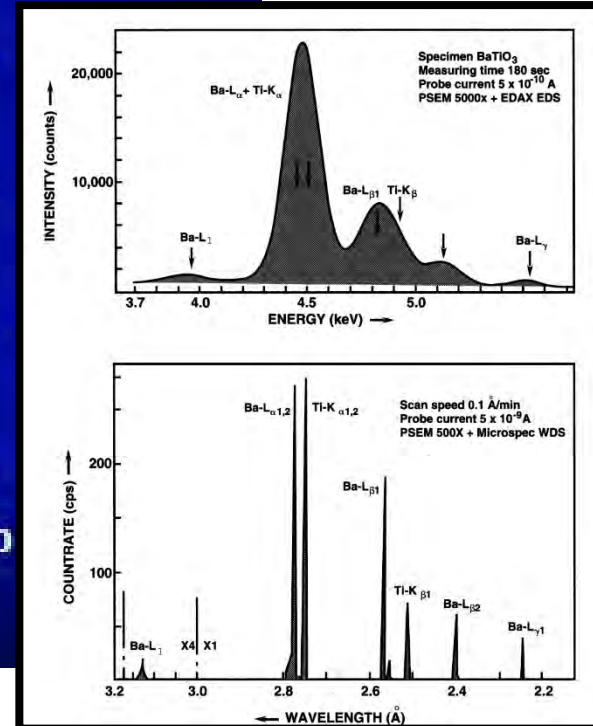
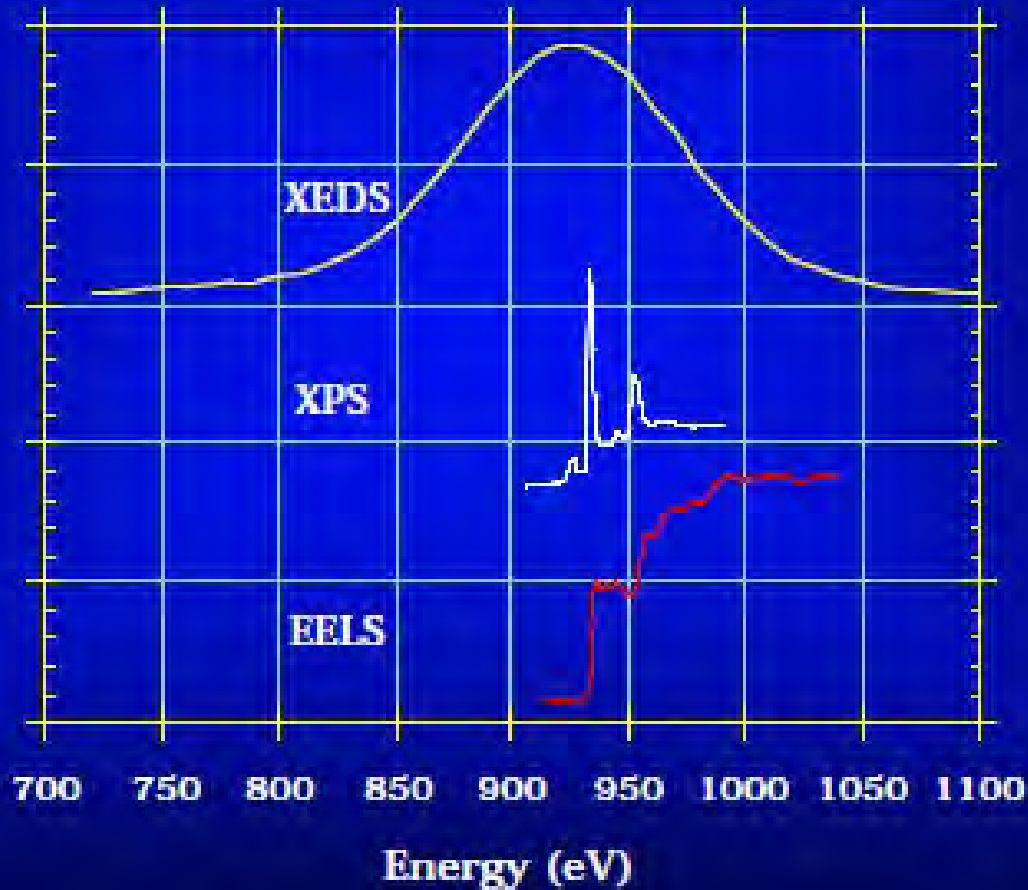


***Iris high resolution
electron energy loss
(and gain)
spectrometer***

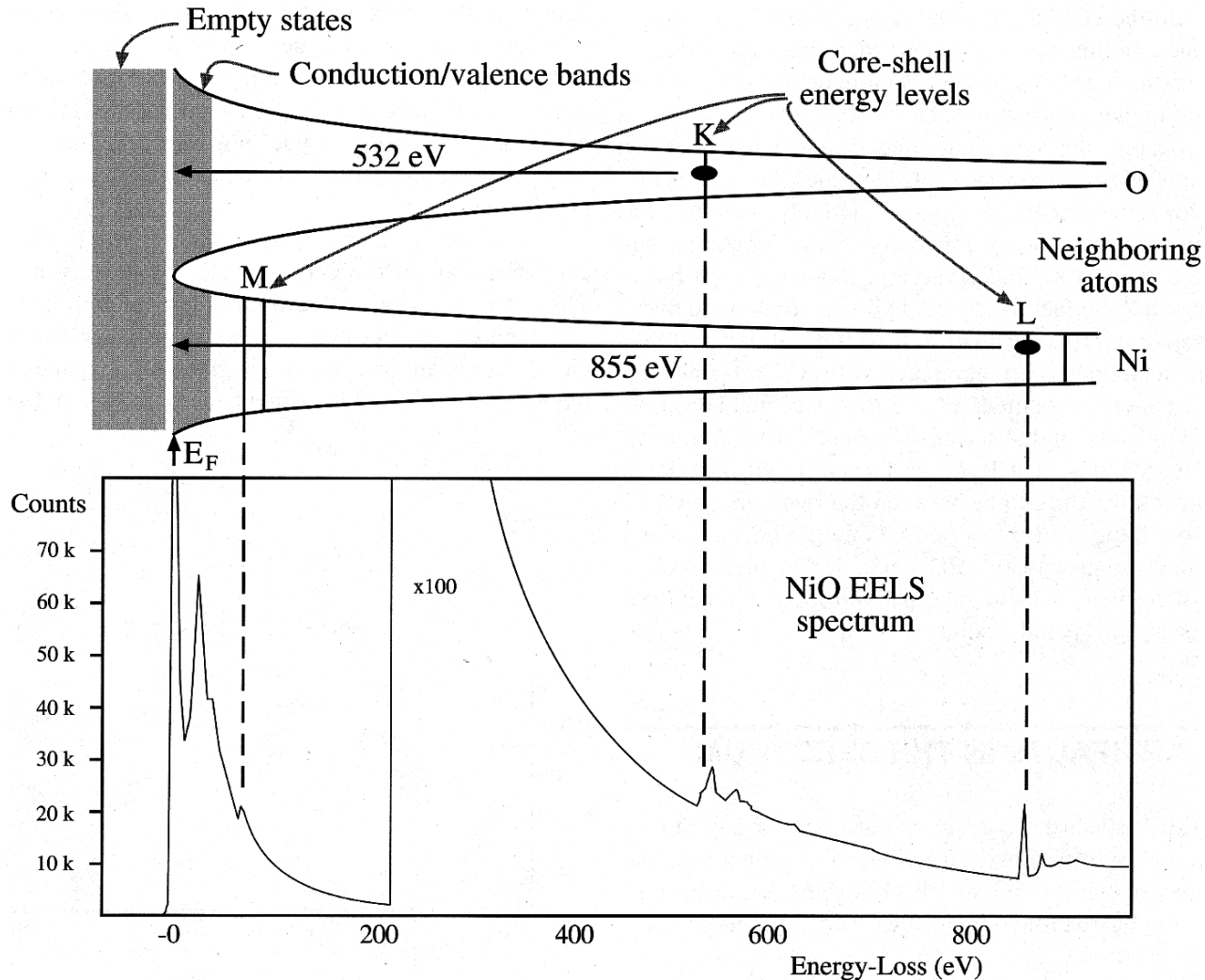
The EELS and the monochromator employ extensive aberration correction and several stability-enhancing schemes, and reach better than 1 in 10^7 stability .

Experimental XEDS, XPS, and EELS data from the Copper L shell.
Note the differences in energy resolution, and spectral features.

Intensity (Arb Units)



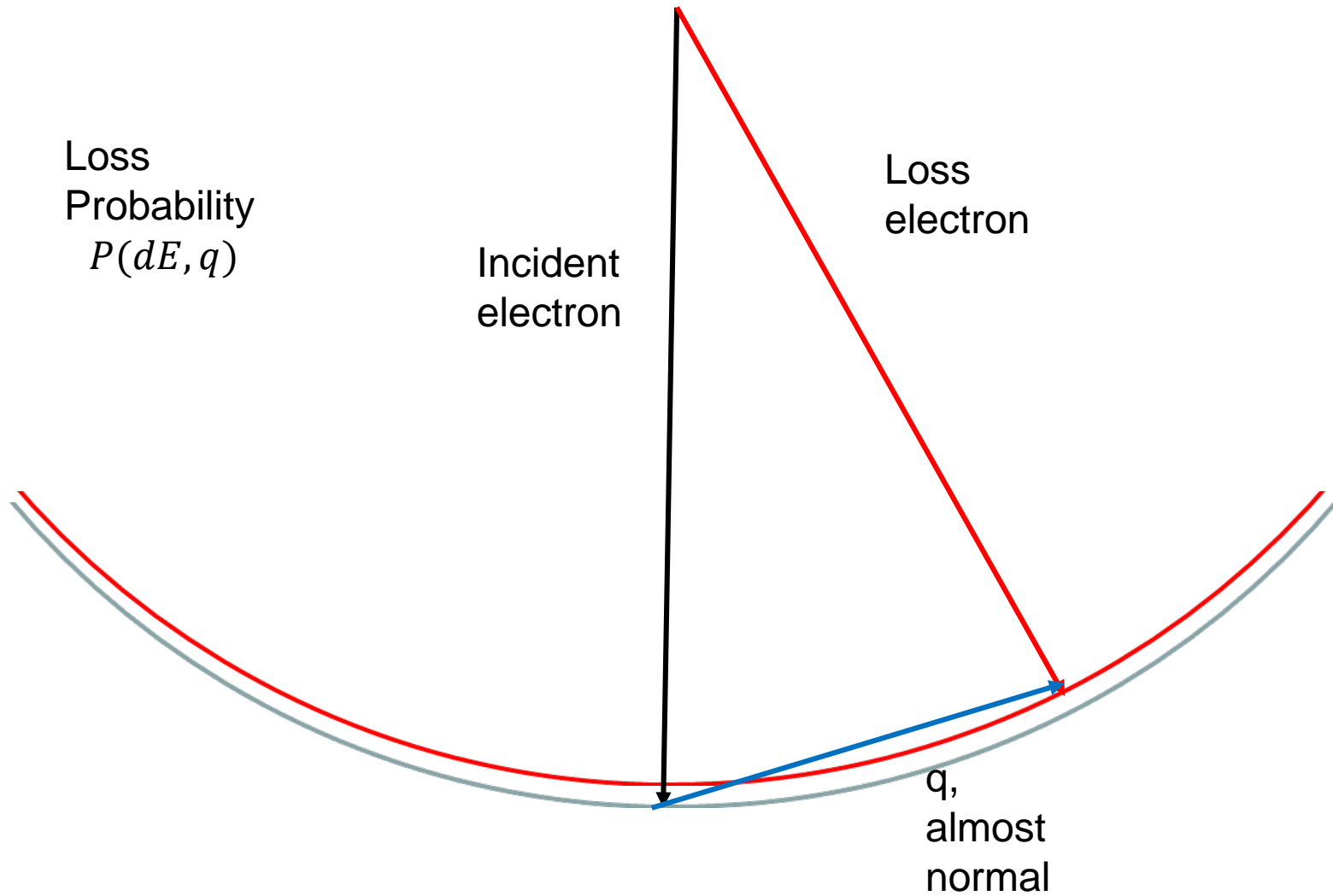
Energy Levels and Energy-Loss Spectrum



Basic formalism I

- Ignore diffraction effects, not really right but OK for now
- Consider inelastic scattering as completely incoherent – 99% correct
- Ignore relativistic effects, not correct and over the last decade they have been shown to be critical
- Assume that processes are not dependent upon the electron energy, good for swift electrons
- Consider a simple probability $P(dE, q)$, for dE change in energy and q wavevector change
- Many simplifications if we integrate over all q , collection angle (experimental variable)

Basic Geometry of EELS



Basic formalism II

$$\frac{dI(E, q, z)}{dz} = \int I(E - E', q - q', z) P(dE', dq') dE' dq'$$

Simplest case when energies do not overlap leads to a Poisson distribution solution:

$$I(E, q, t) = \exp\left(-\frac{t}{\lambda}\right) \delta(E) + tP(dE, q) \exp\left(-\frac{t}{\lambda}\right) \delta(E - dE) + \dots$$

$$I(E - ndE, nq, t) = \left(\frac{1}{n!}\right) t^n P^n(dE, q) \exp(-t/\lambda)$$

$$1/\lambda = \int P(dE, q) dE dq$$

We call λ the mean free path. Note that the zero-loss peak has an intensity of $\exp(-t/\lambda)$, so if we divide by this we get $tP(dE, q)$ for single scattering

With multiple scattering the result is slightly more complicated, but one can do a log deconvolution to clean up the data

Al specimen

Plasmon Peaks

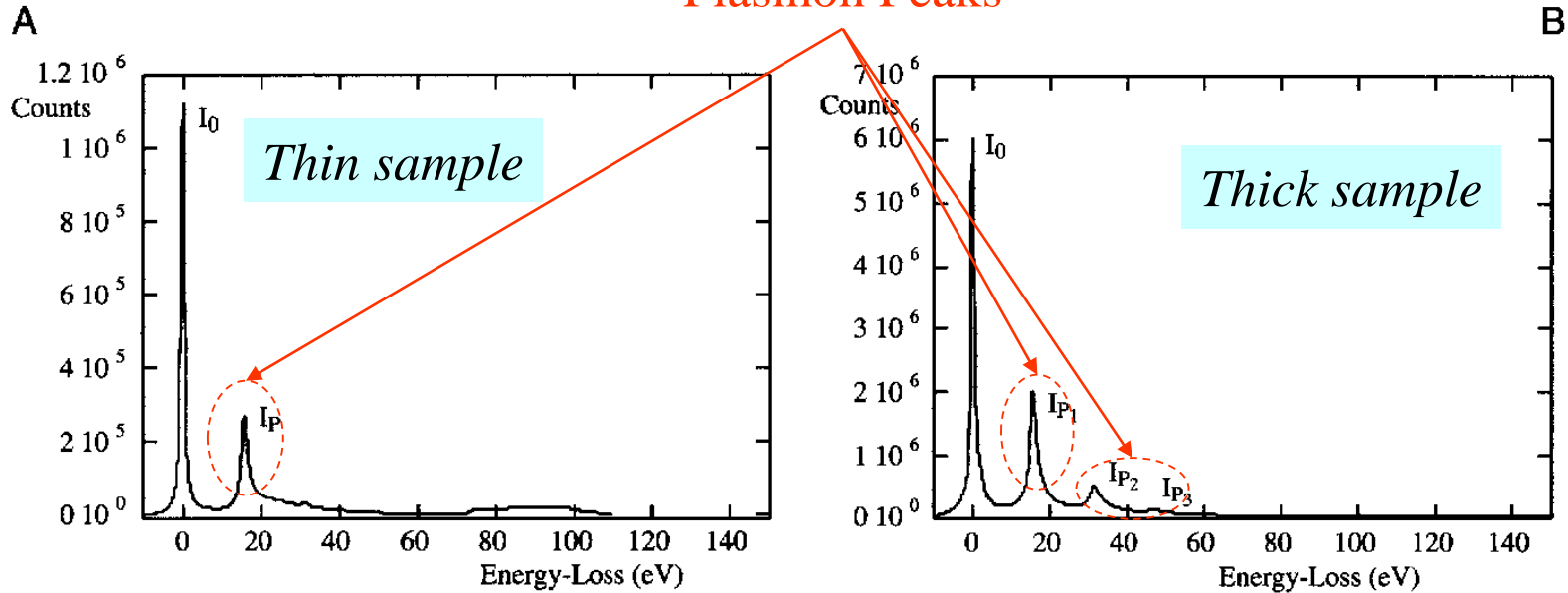


Figure 38.2. (A) The low-loss spectrum from a very thin sample of pure Al showing the intense zero-loss peak (I_0) and a small plasmon peak (I_p) at about 15 eV. (B) The low-loss spectrum from a thick specimen of pure Al showing several plasmon peaks.

$$I(E - ndE, nq, t) = \left(\frac{1}{n!}\right)t^n P^n(dE, q) \exp(-t/\lambda)$$

Basic formalism III

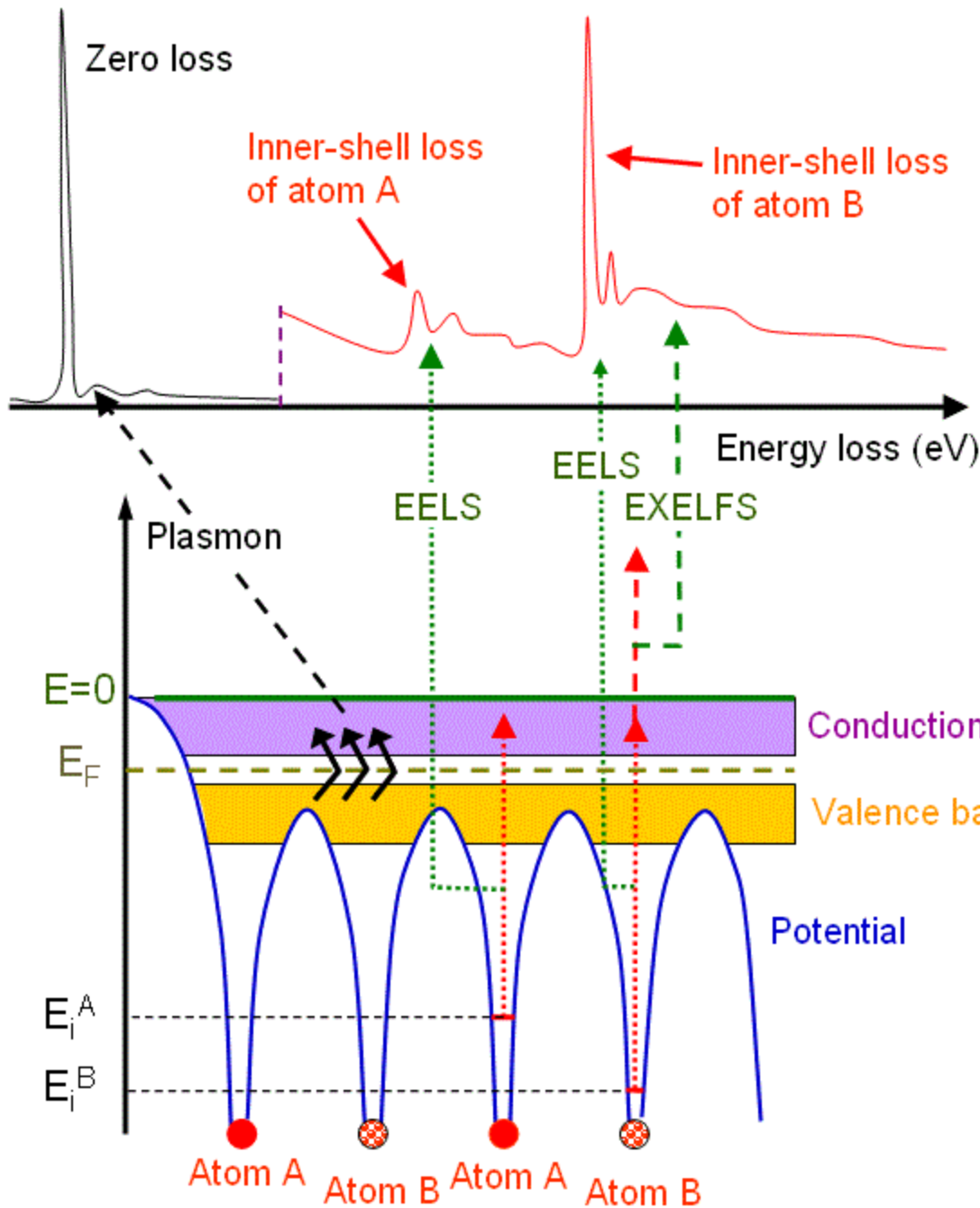
$$Probability = C \int \psi_{initial} \hat{O} \psi_{final}^* dr$$



Interaction Term

Depends upon how many initial states there are, $\psi_{initial}$, and final ψ_{final}^* .

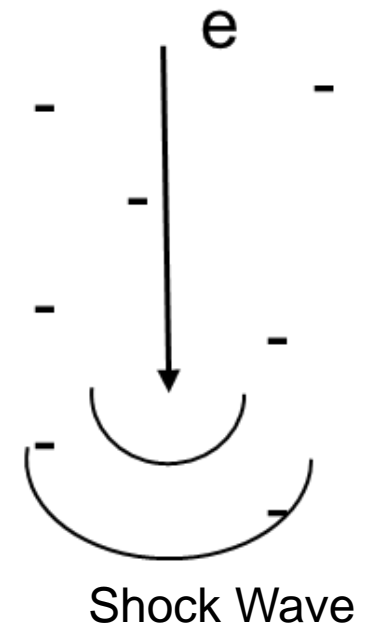
Also, there are effects due to removal of an electron from the initial state which leads to a core-hole, and relaxation of the electrons

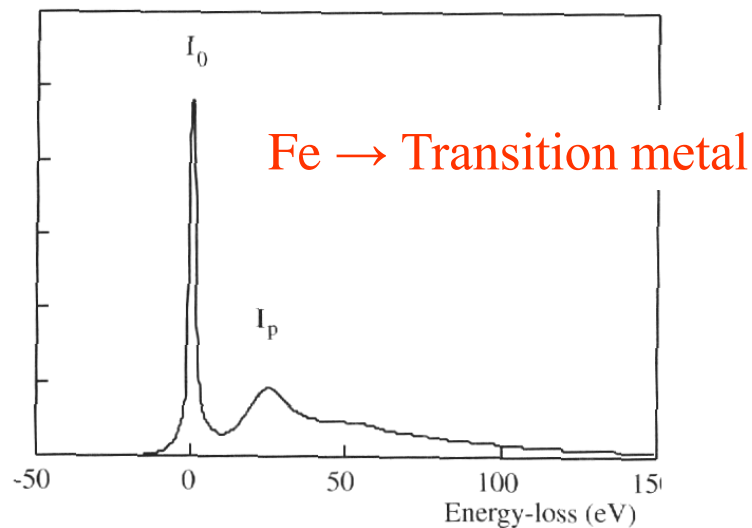
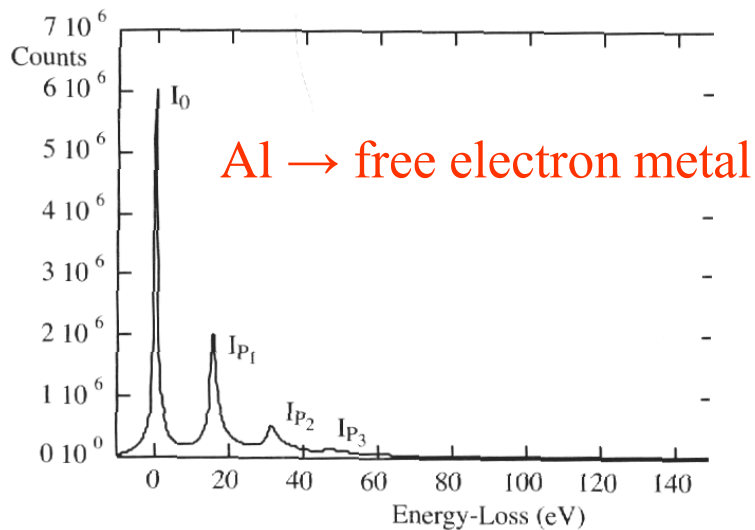


Energy Levels and EELS

Plasmons

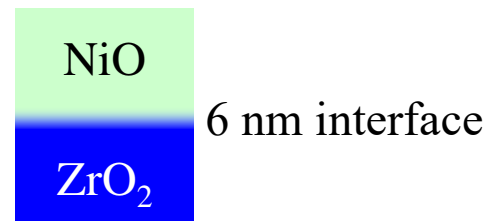
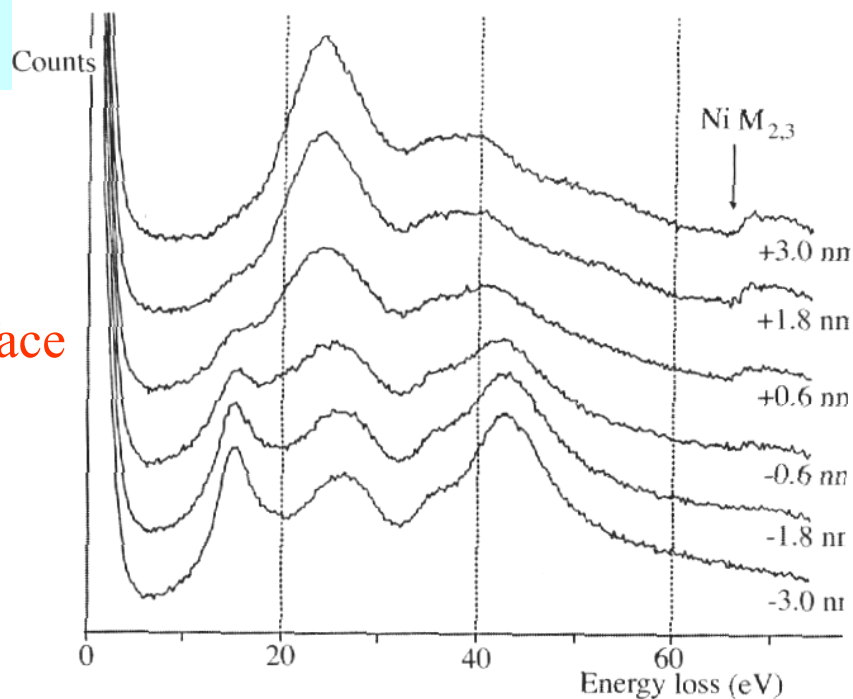
- Coulomb interaction between fast electrons of microscope & electrons in solid
- Creates a shock wave (similar to a ship through water)
- Resonant frequencies of bulk electrons leads to plasmon losses – also dielectric components



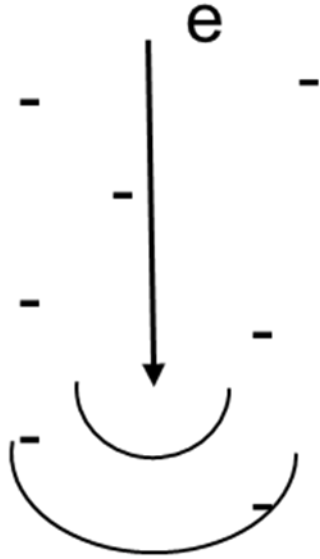


1b Plasmon peak

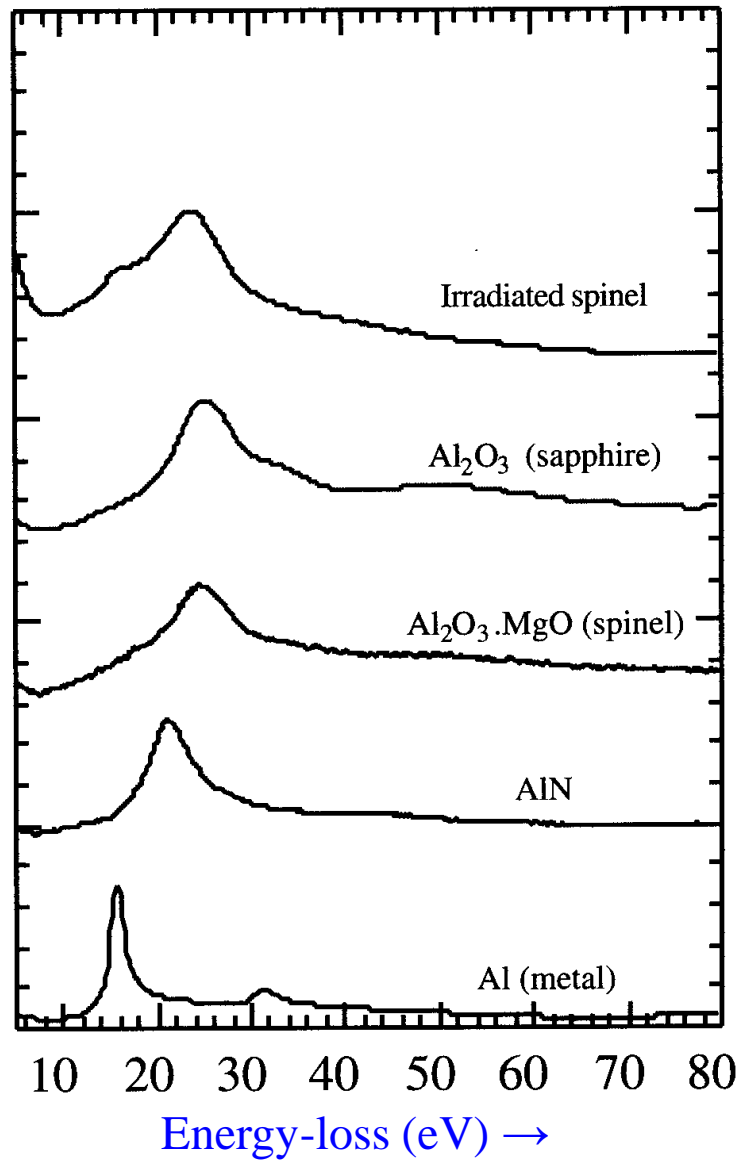
NiO - ZrO₂ interface



Inter- and Intra Band Transitions

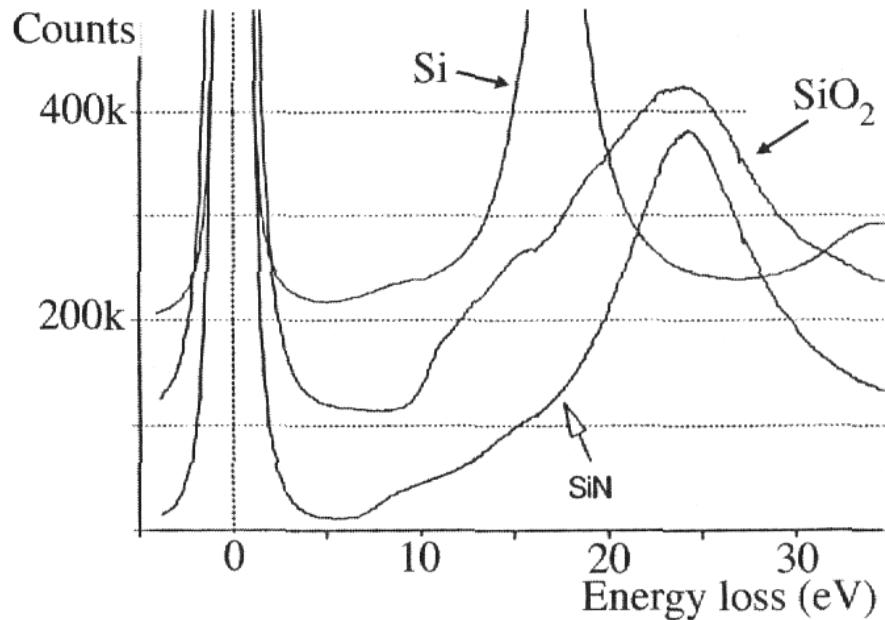


Spectra vertically displaced for easy visibility →



Low loss spectrum from Al and Al compounds

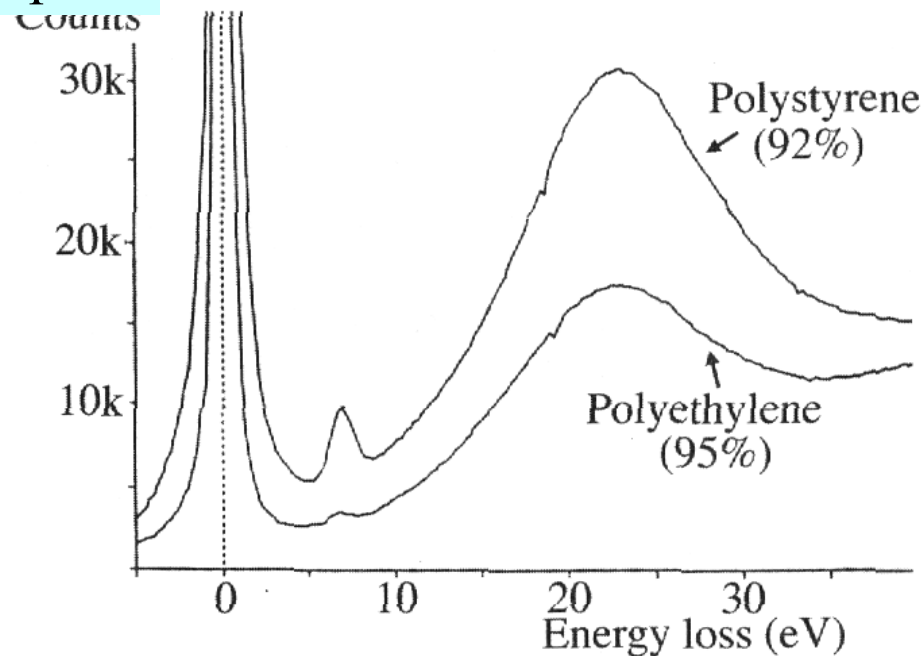
→ The differences in the spectra are due to differences in **bonding**



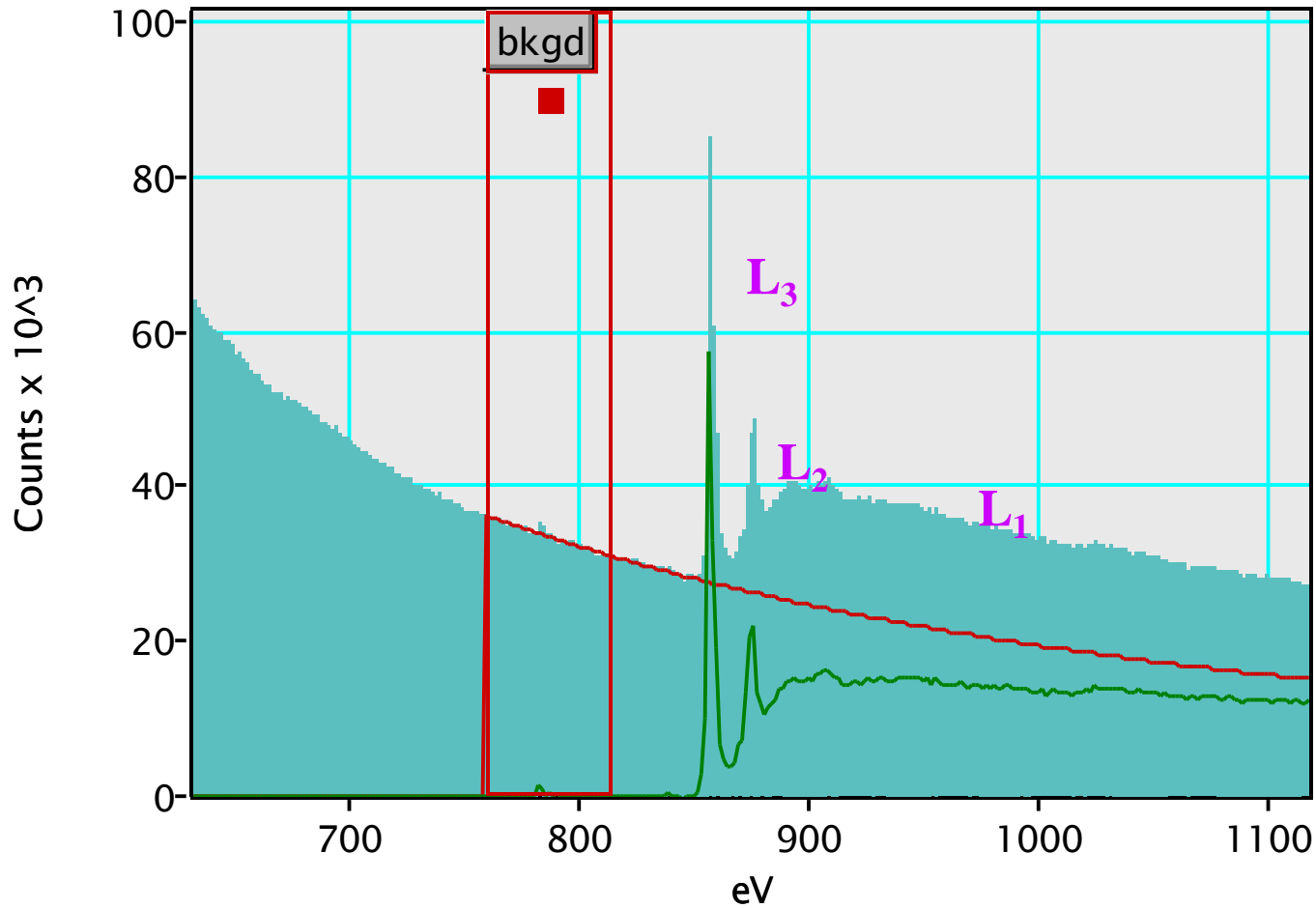
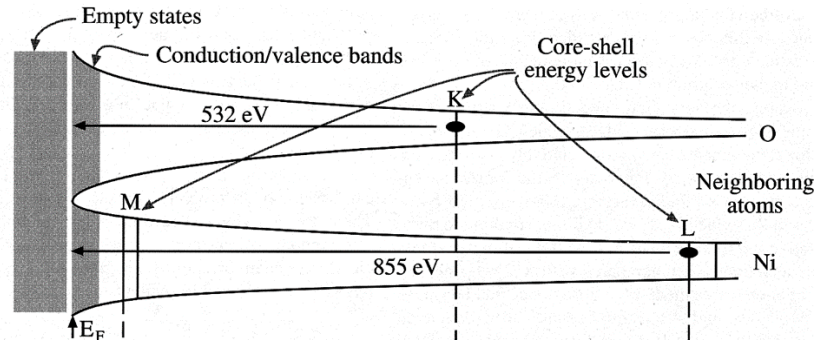
Band gap differences manifesting itself in the low loss region of the EELS spectrum

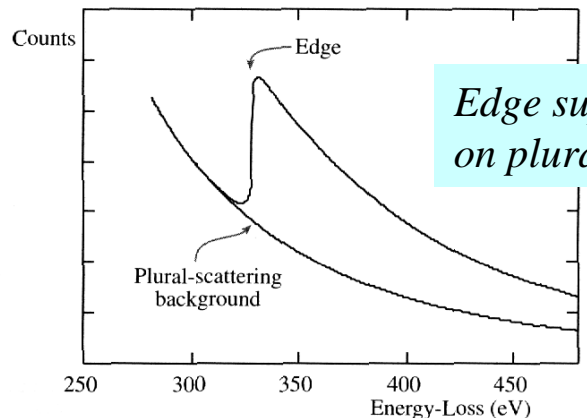
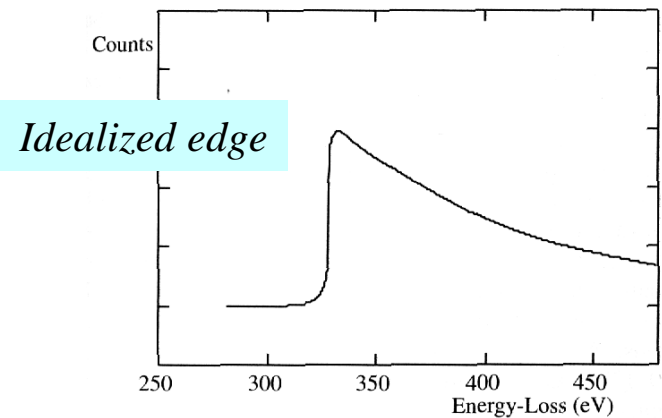
1a Low loss region before Plasmon peak

Intraband transition characteristic of Polystyrene



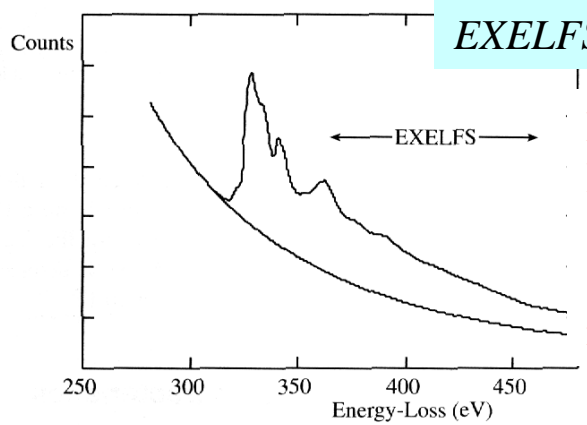
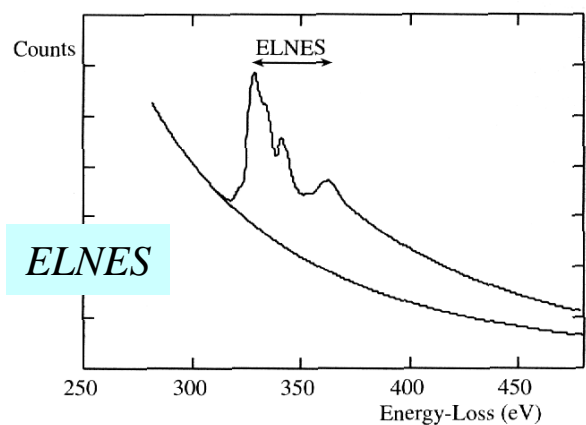
Core Losses





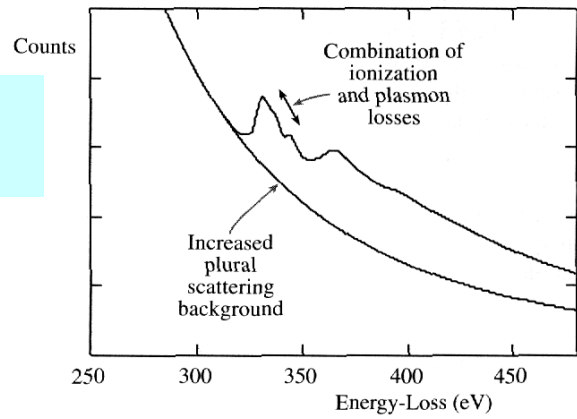
Edge superimposed on plural scattering

Bonding Effects



Diffraction Effects from atoms surrounding the ionized atom

Thick Specimen → Combination of ionization and plasmon losses



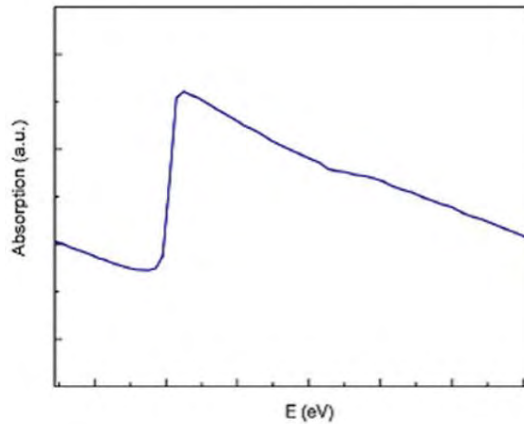
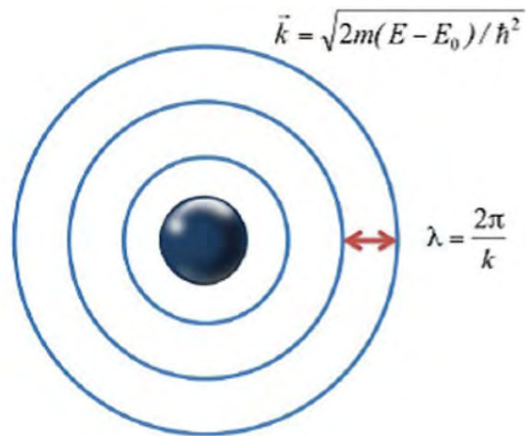
Ionization loss
Plasmon loss

Near edge structure

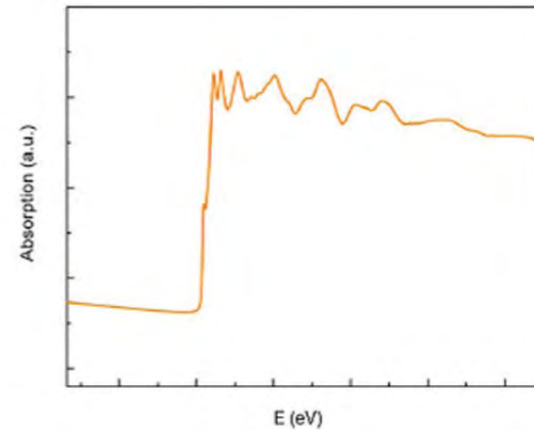
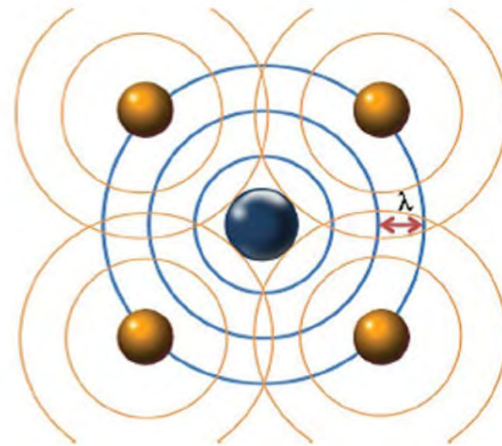
- Depends upon
 - Dipole rule ($\Delta l = \pm 1$)
 - Hence $s \rightarrow p$, $p \rightarrow d$ but not $s \rightarrow s$
 - What states are open
 - Changes with valence and bonding

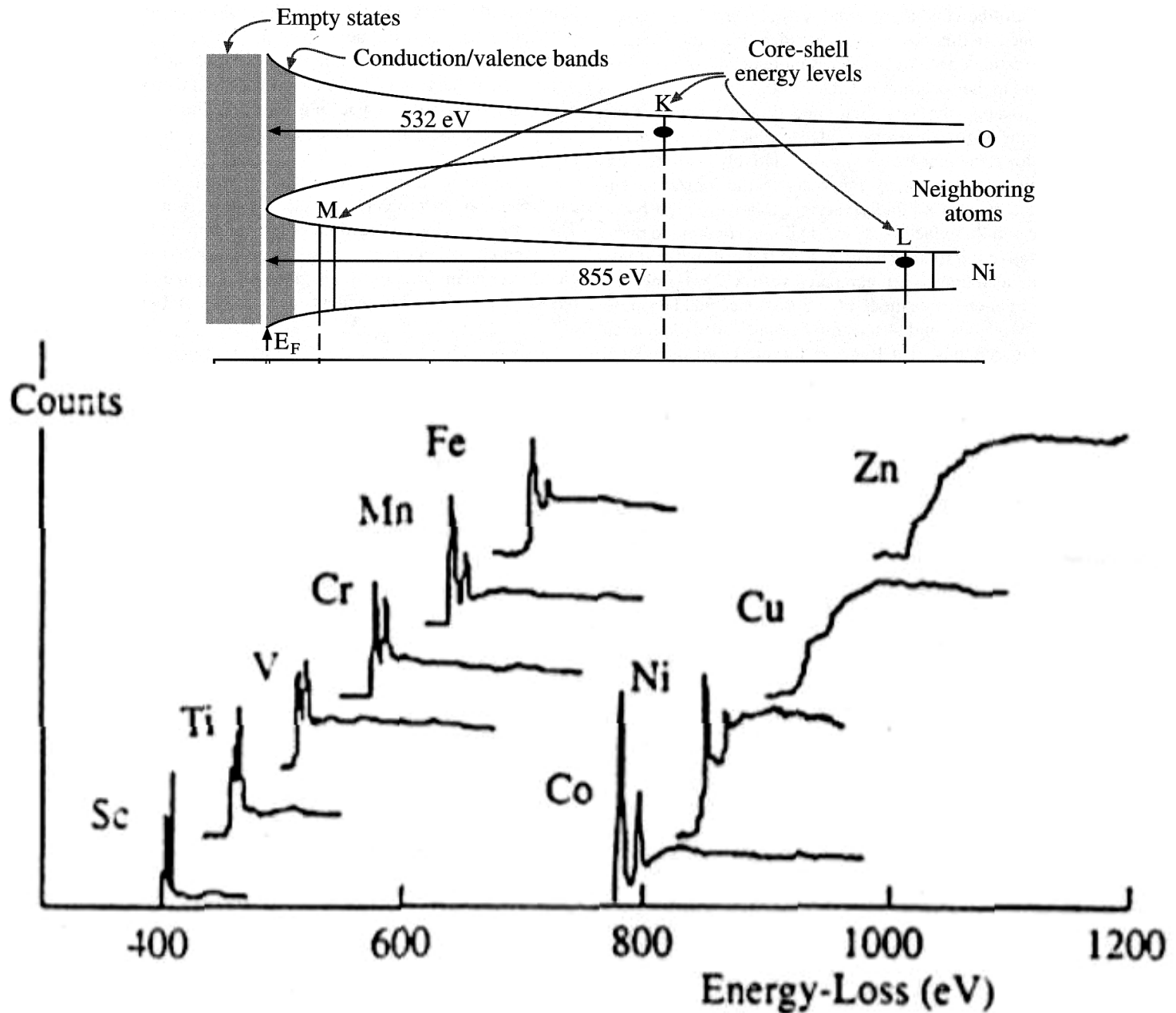
Extended structure

Photoelectron



Back Diffraction
– constructive
or constructive

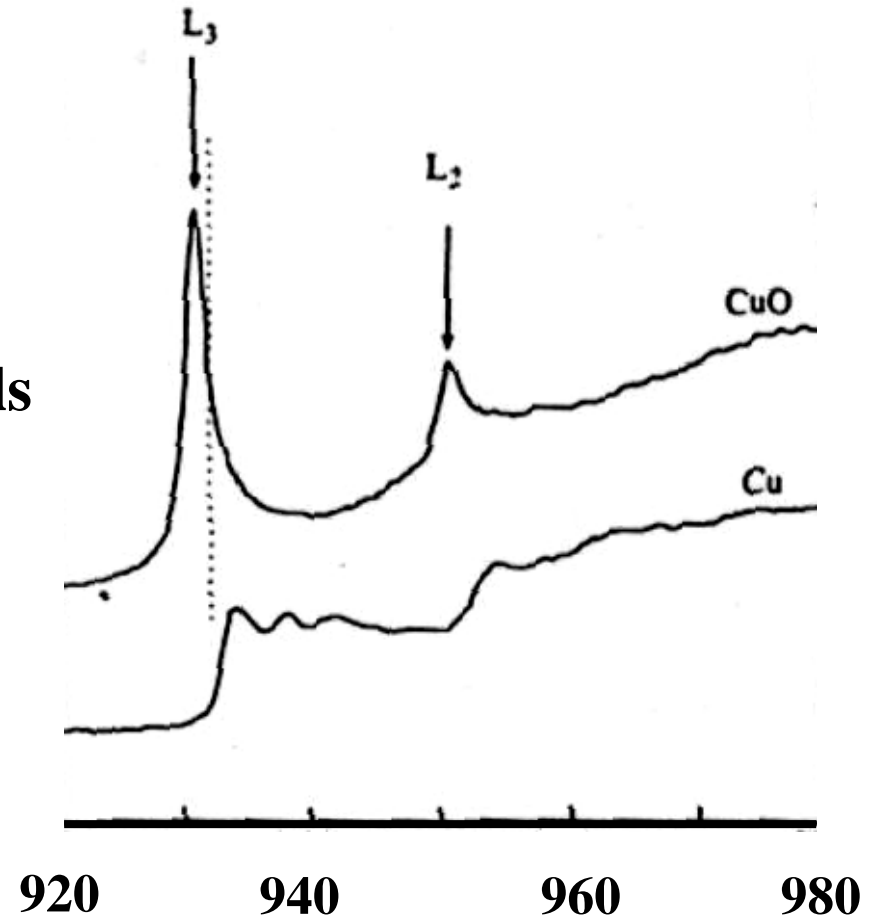


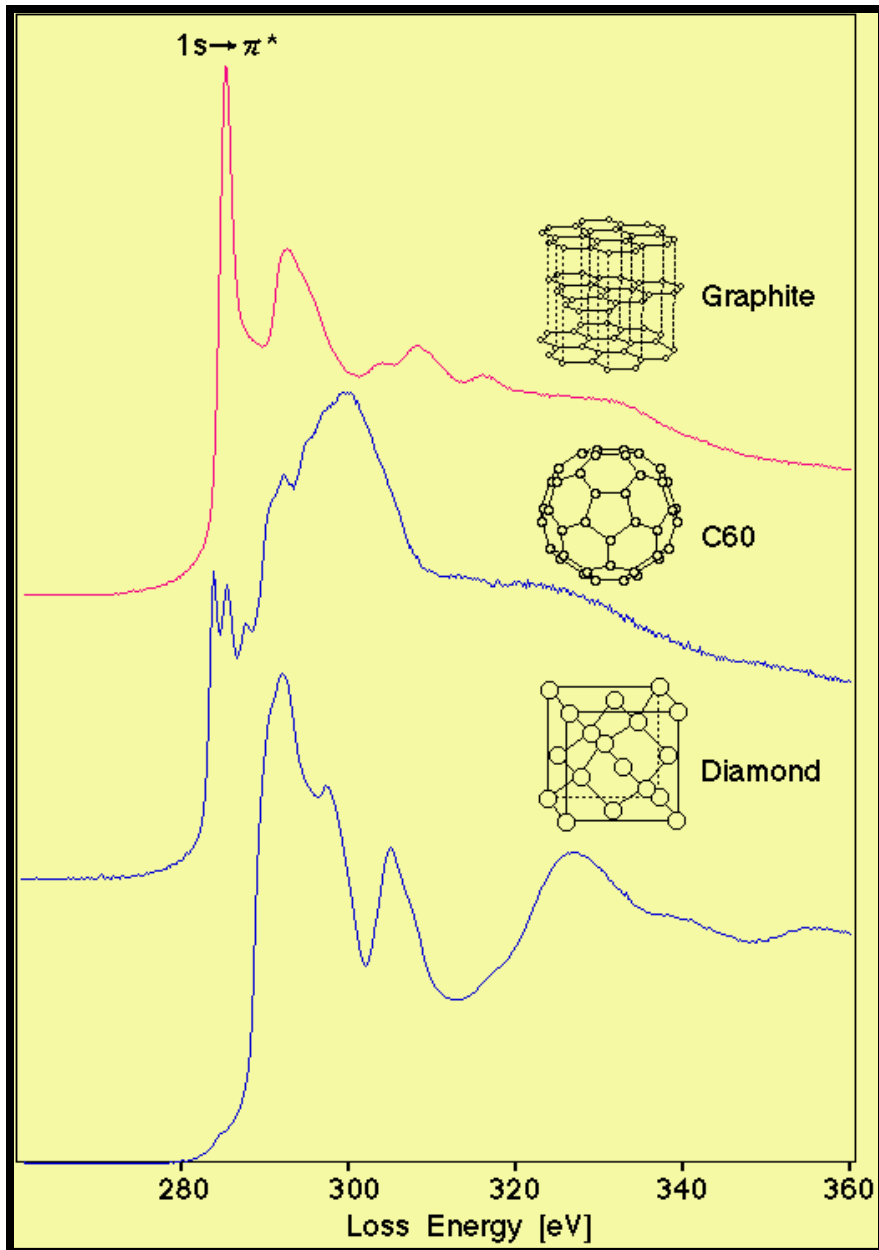


The L edge of transition metals (d-level occupancy)

Chemical bonding

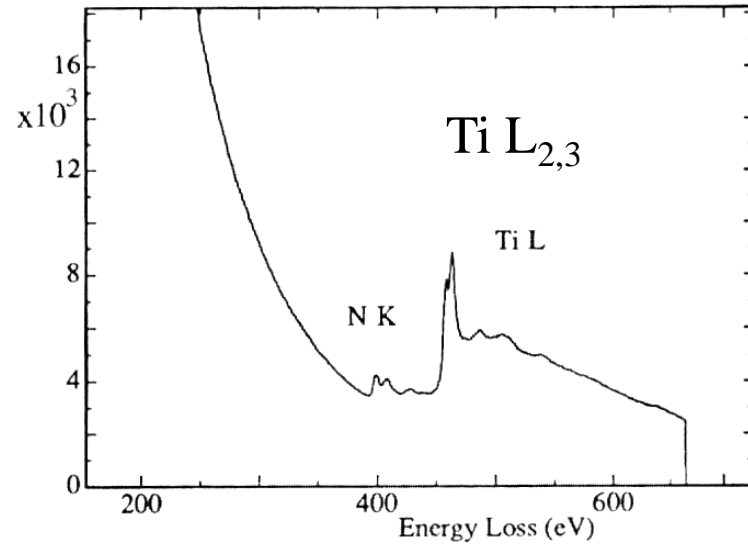
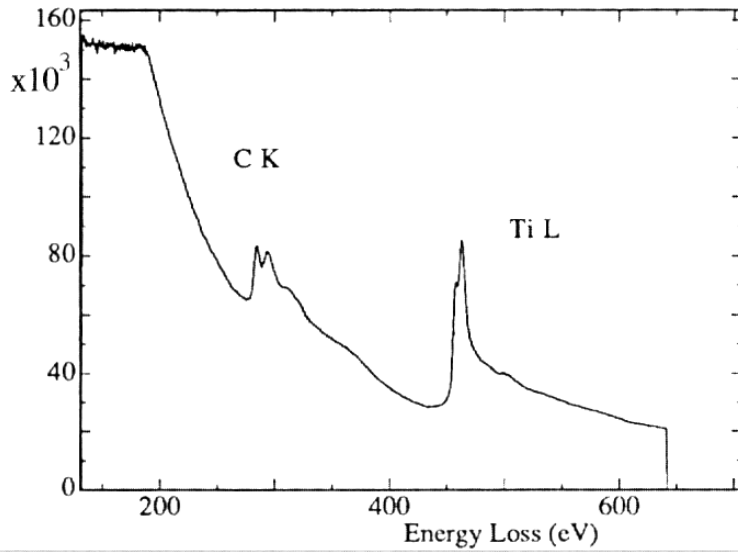
Cu is d^{10} , no states available
In CuO, there are empty levels



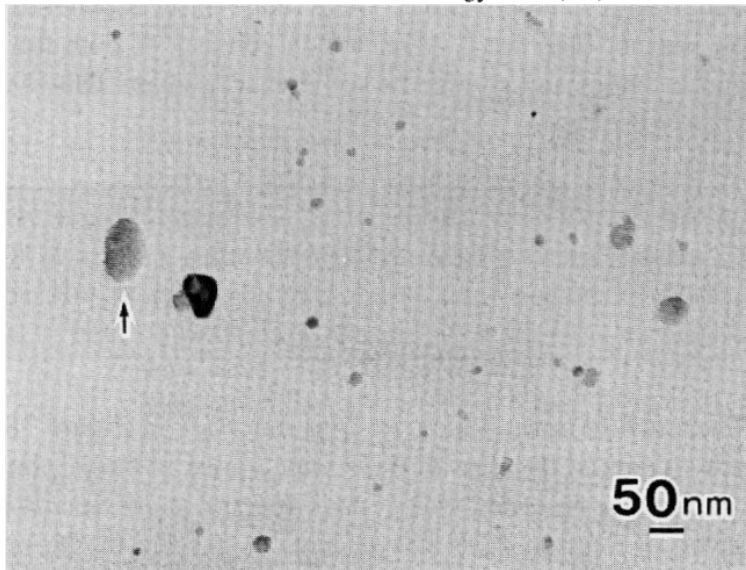


Diamond, graphite and fullerene all consist of only carbon. All of these specimens have absorption peaks around 284 eV in EELS corresponding to the existence of carbon atoms. From the fine structure of the absorption peak, the difference in bonding state and local electronic state can be detected. The sharp peak at absorption edge corresponds to the excitation of carbon K-shell electron (1s electron) to empty anti-bonding π -orbital. It is not observed for diamond, because of no π bonding.

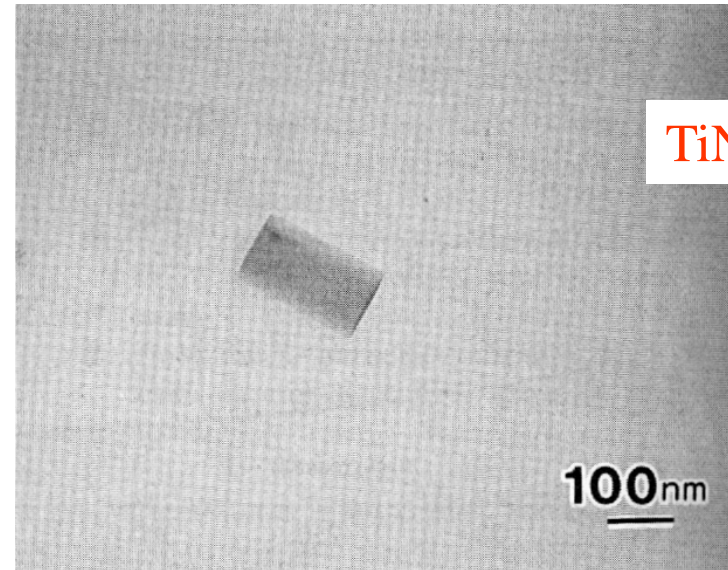
Examples



TiC

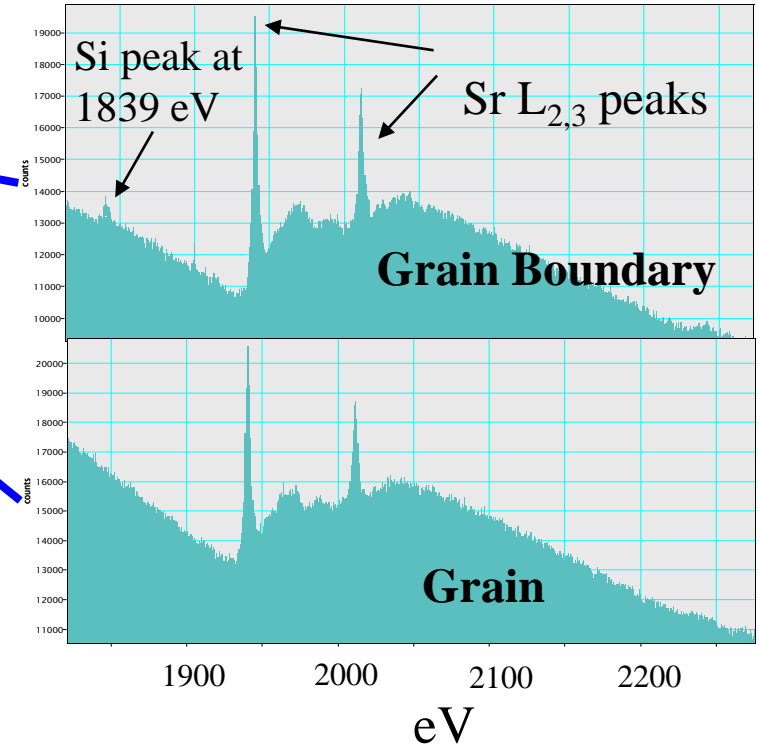
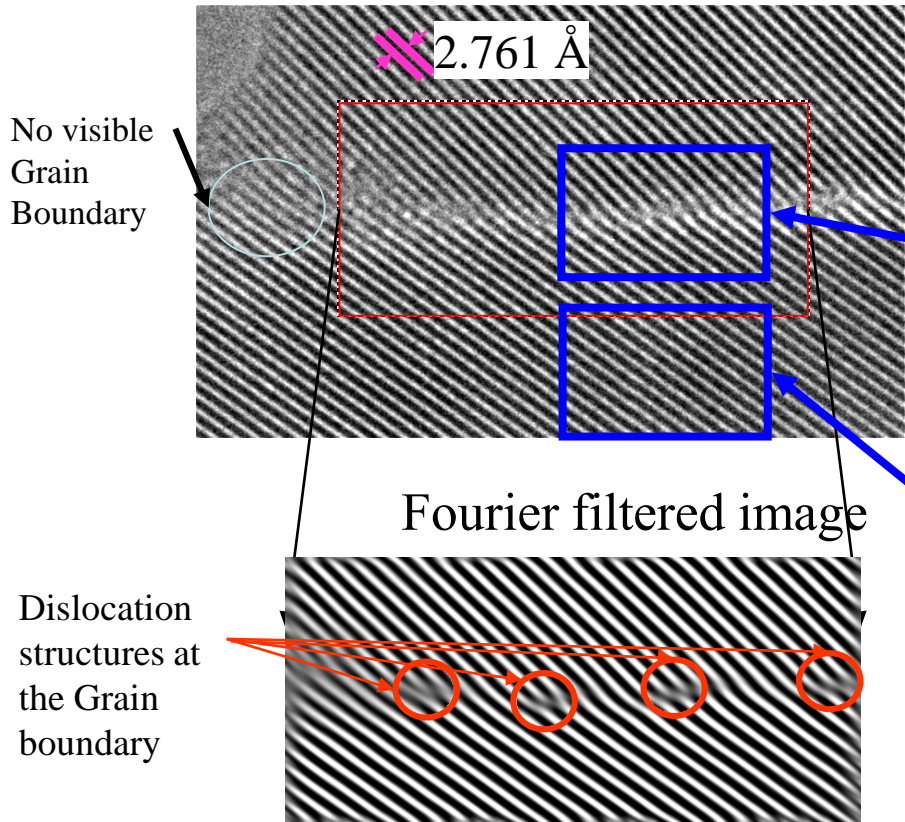


TiN

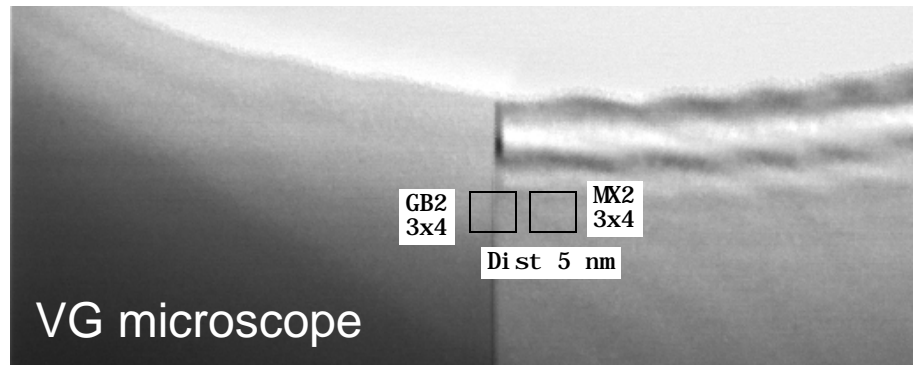


Stainless steel specimen

EELS

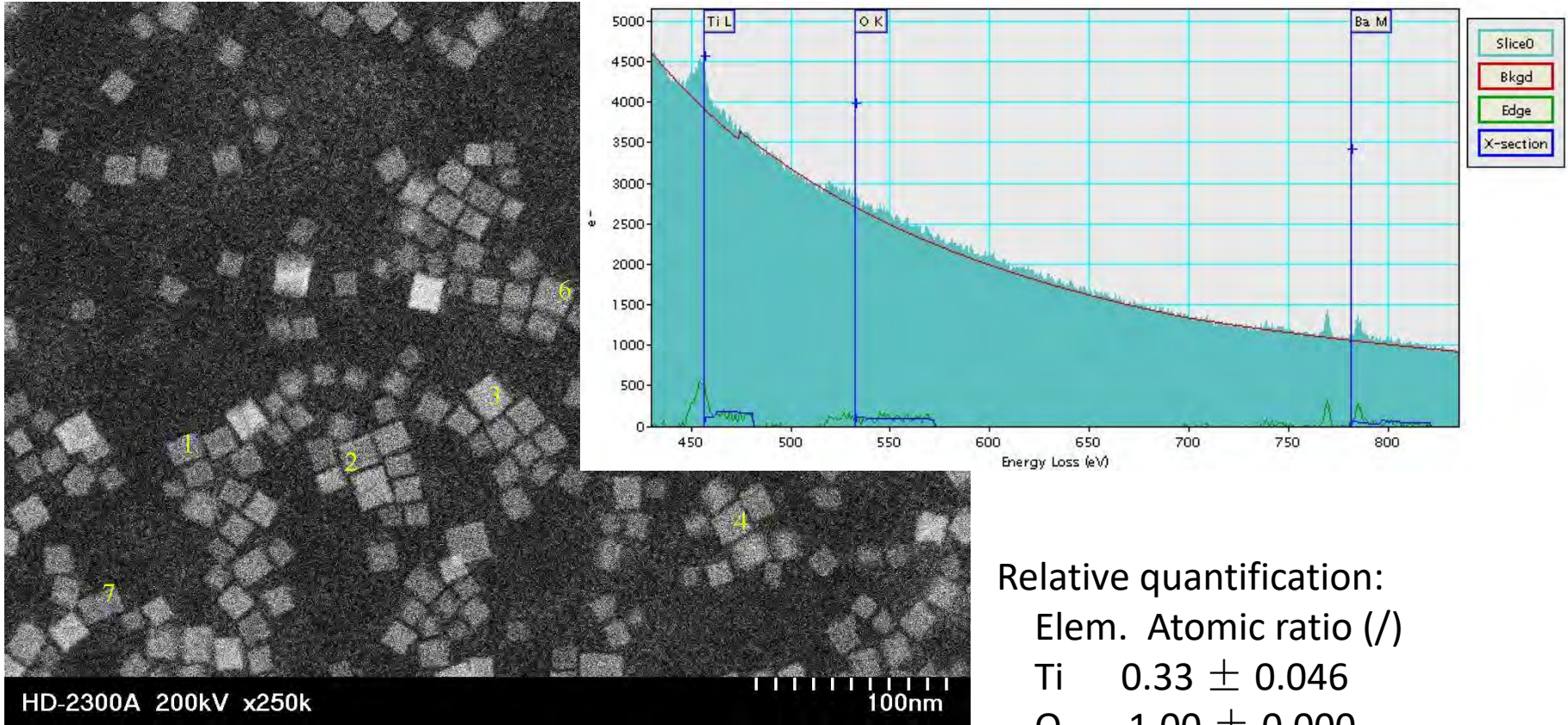


~8° TILT BOUNDARY IN THE SrTiO₃ POLYCRYSTAL



Single $\text{Ba}_x\text{Sr}_{1-x}\text{TiO}$ nanocube EELS

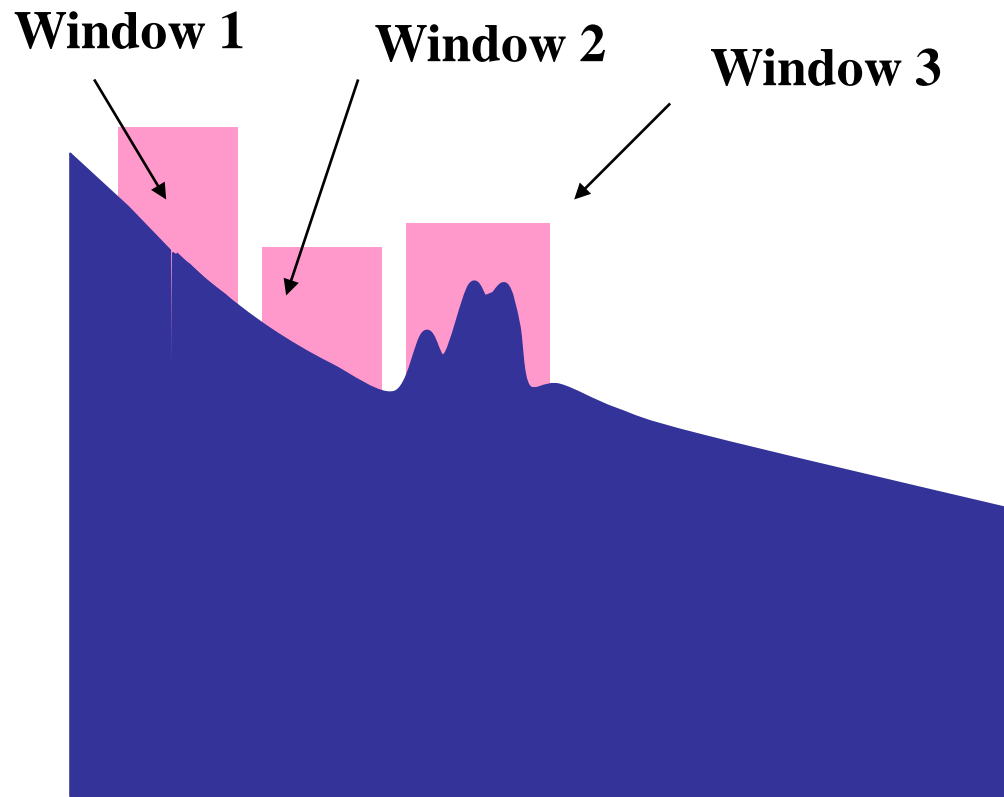
7 nanocubes are detected as EELS, and the $\text{Ba}/\text{O}=0.16\text{-}0.19$
 $\text{Ti}/\text{O}=0.33\text{-}0.36$, X average value is close is 0.5.



Elemental mapping

Three-window method

- $W3 / (W1 + W2) = \text{Elemental map}$



What is Spectrum Imaging?

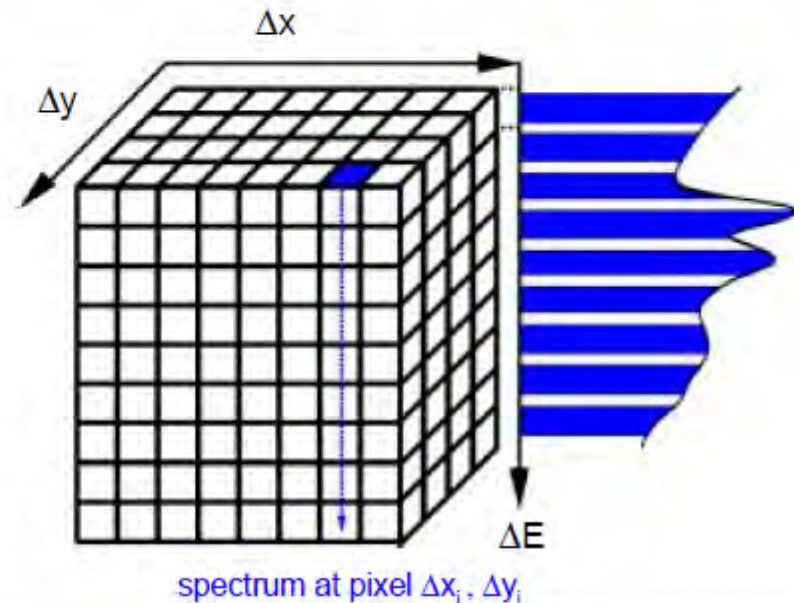
- Spectrum imaging is the technique of acquisition, storage, processing, and analysis of spectroscopic data at each pixel in a digital image
- Conventional image pixels contain one intensity value only
- Spectrum image pixels contain complete spectra
- Produces quantitative elemental maps and profiles

Spectrum image schematic:

$\Delta x, \Delta y$ Spatial dimensions
 ΔE Energy-loss dimension

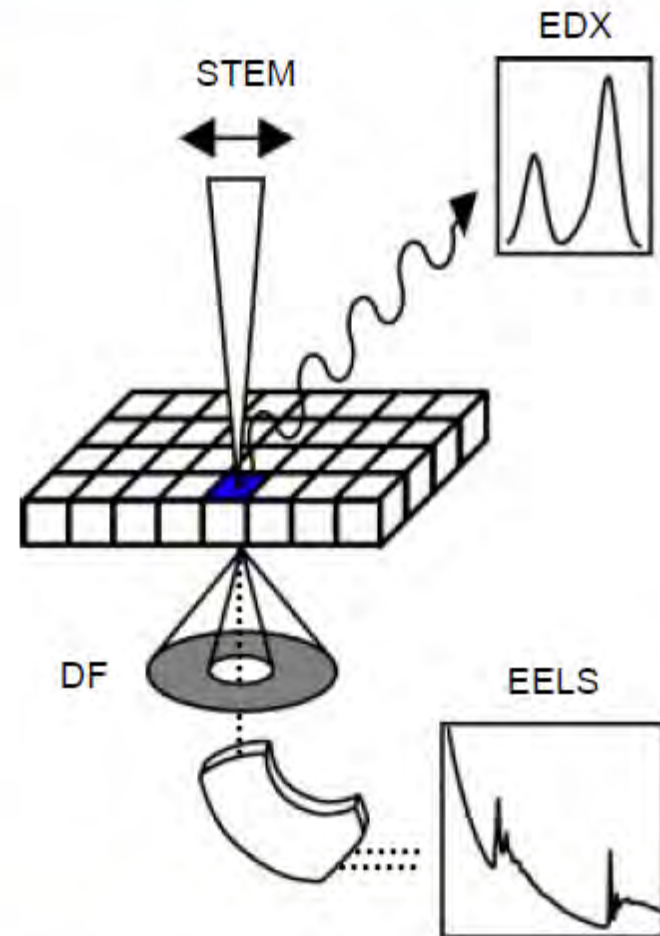
Vertical columns are spectra

Horizontal planes are energy filtered images

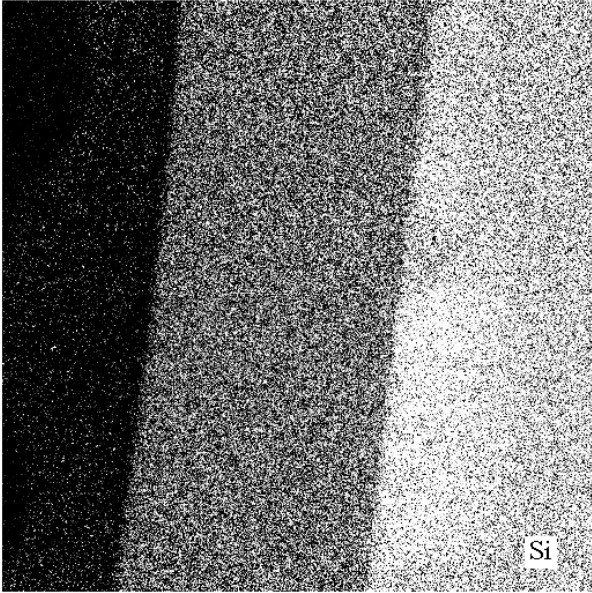
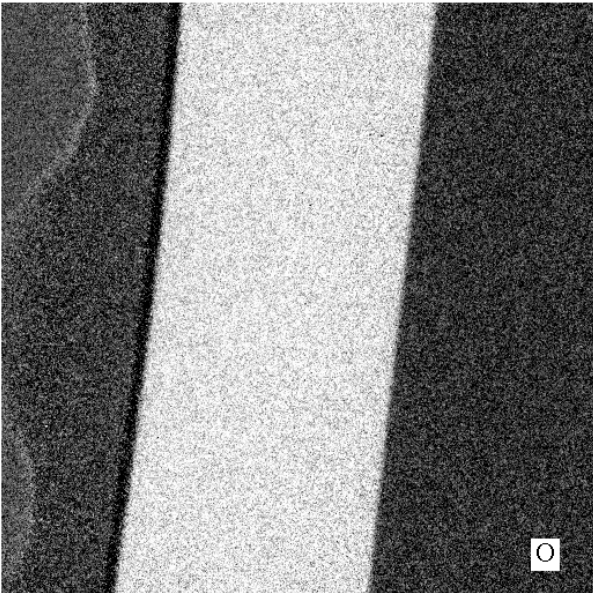
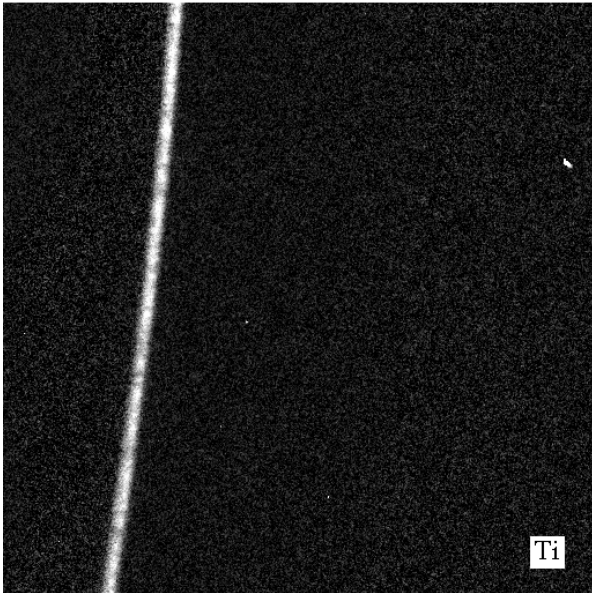
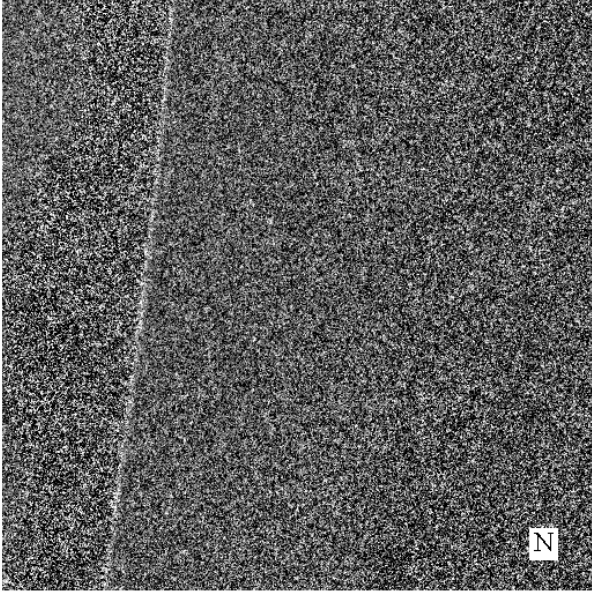
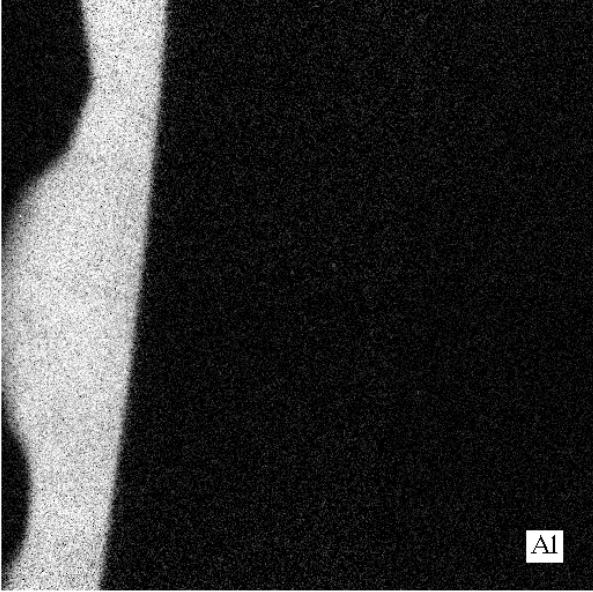
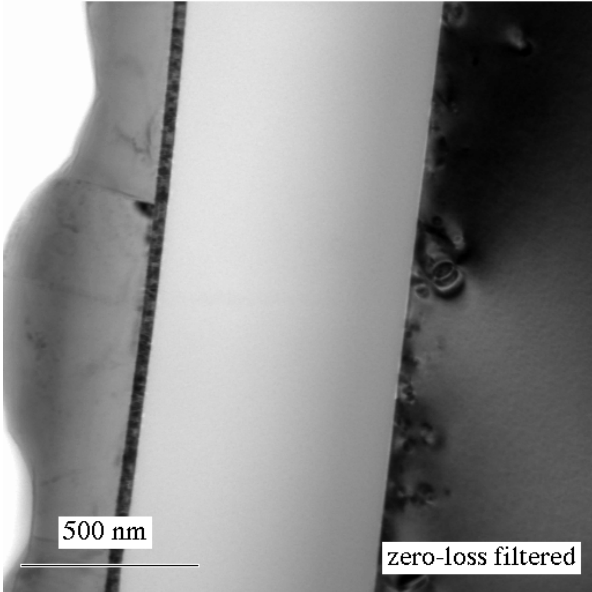


Acquisition of Spectrum Images

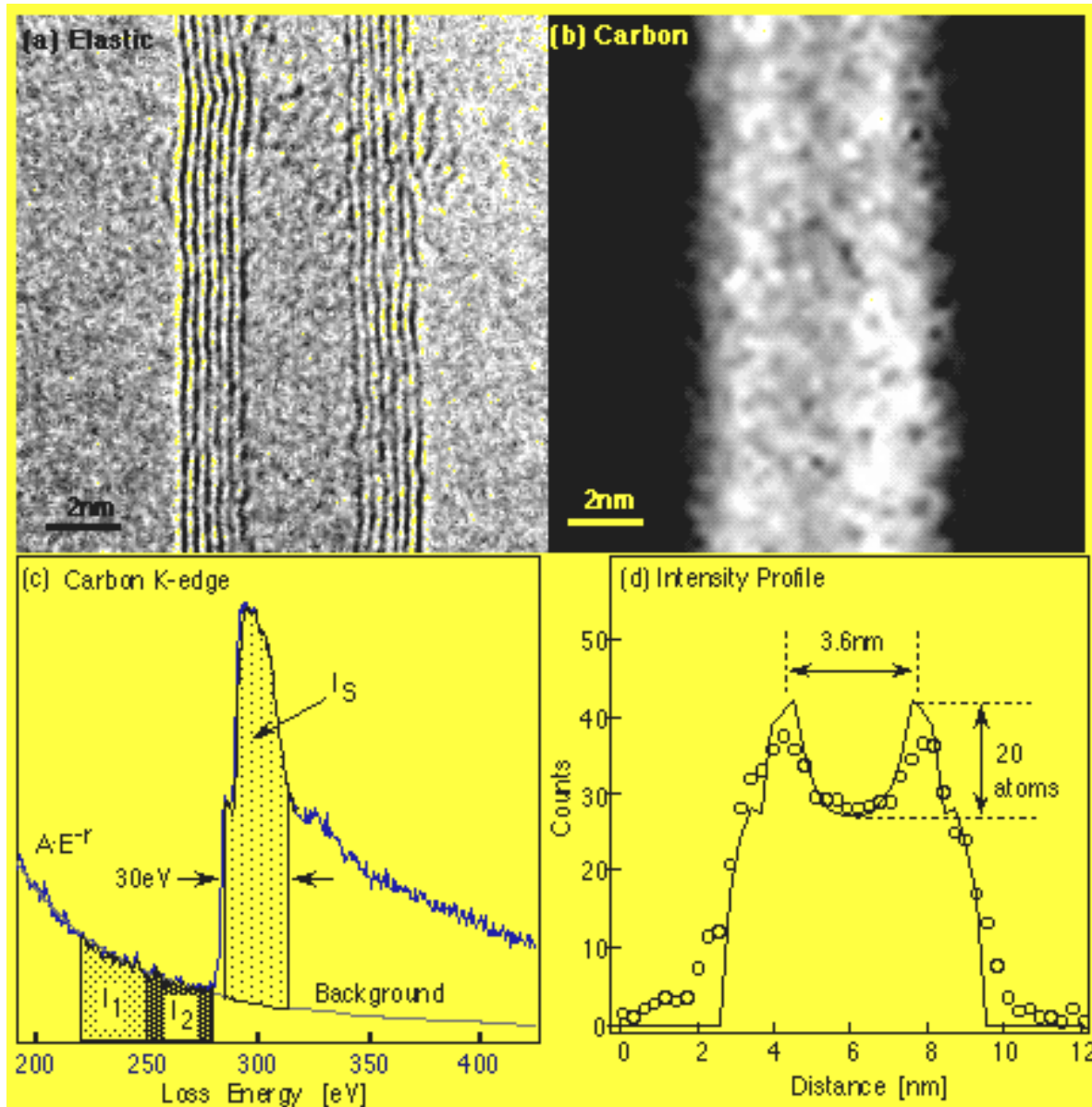
- A spectrum image is typically acquired in STEM mode by stepping a focused electron probe from one pixel to the next
- The spectrum image data cube is filled one spectrum column at a time
- In STEM it is possible to collect EELS, X-ray or both spectra simultaneously
- Use of the DF or SE signal during acquisition permits spatial drift correction and assurance that information is coming from the desired area



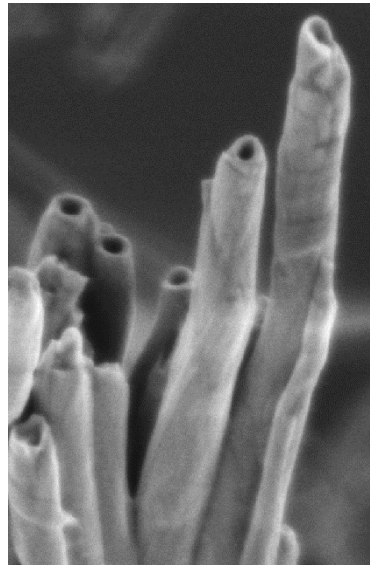
Multilayer coating



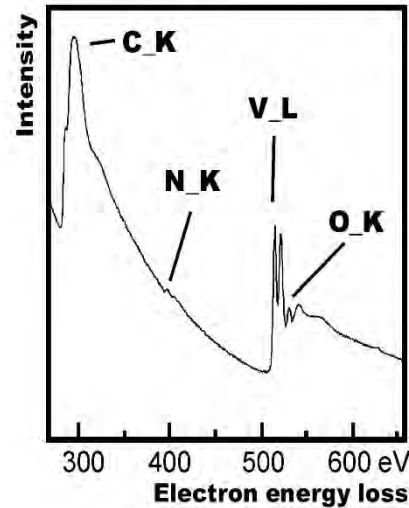
Carbon Nanotube



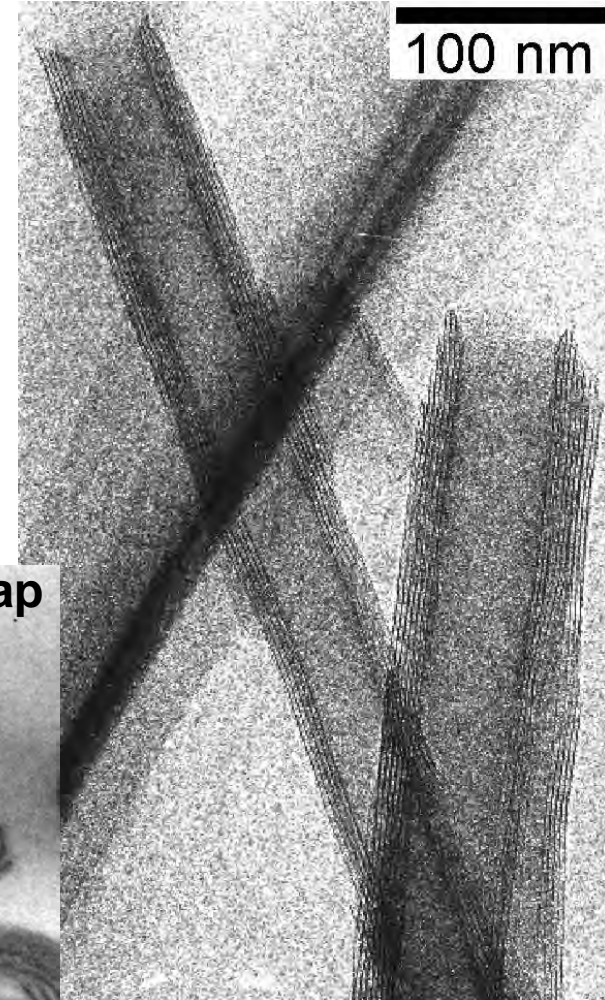
Electron Microscopy Methods for the Characterization of Nanomaterials (Example: Vanadium Oxide Nanotubes)



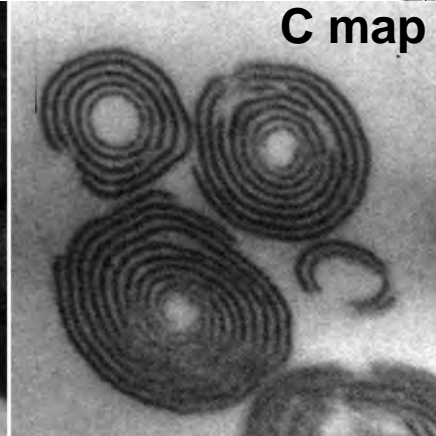
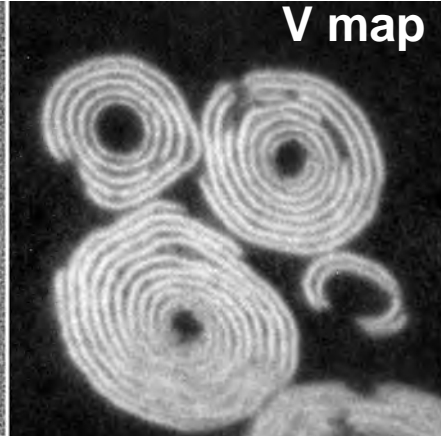
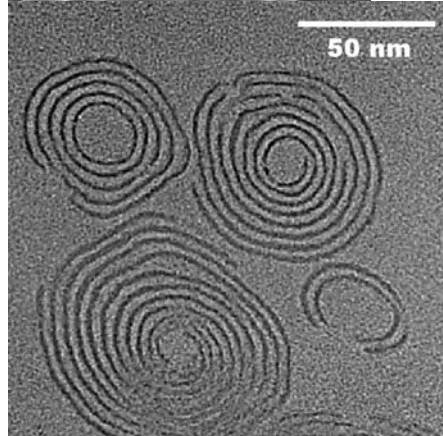
SEM:
characterization
of tubular
morphology



EELS: composition



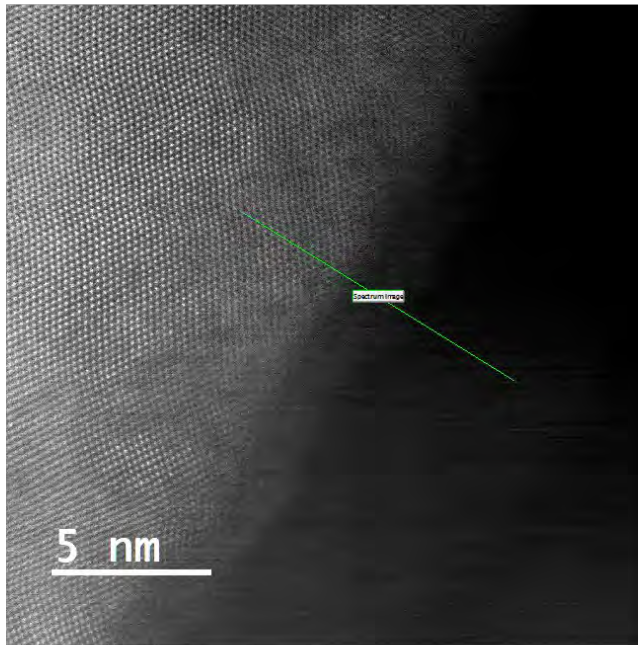
**TEM: characterization
of the wall structure**



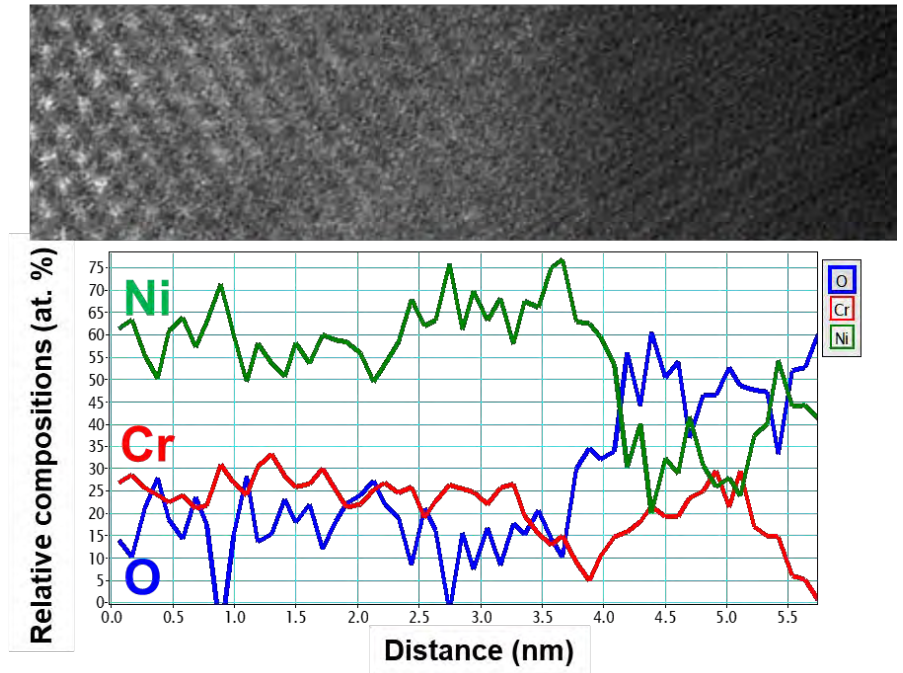
**Cross-sections of VO_x nanotubes: TEM and elemental
maps obtained by electron spectroscopic imaging**

NiCr Oxidation

A

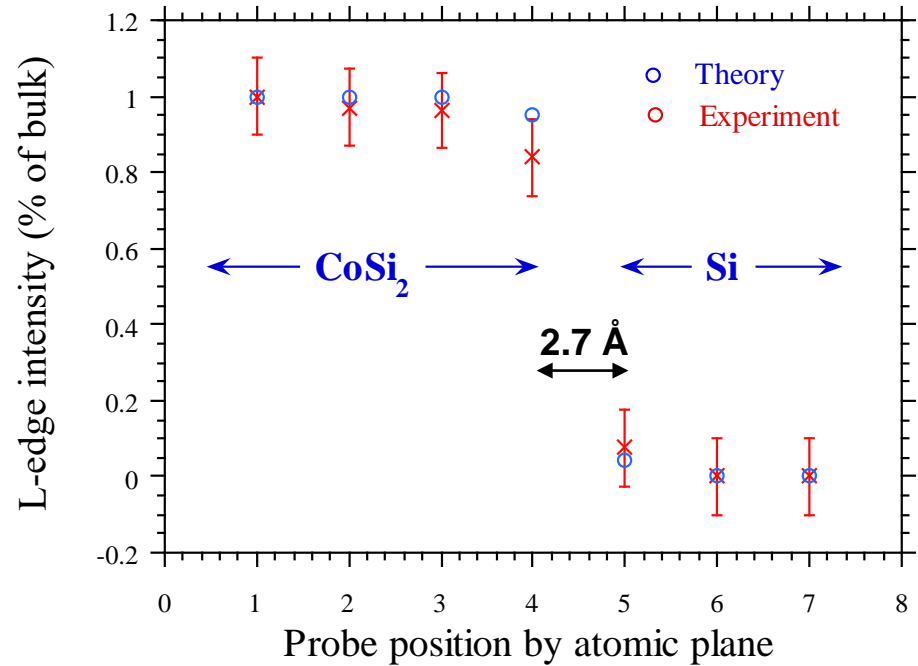
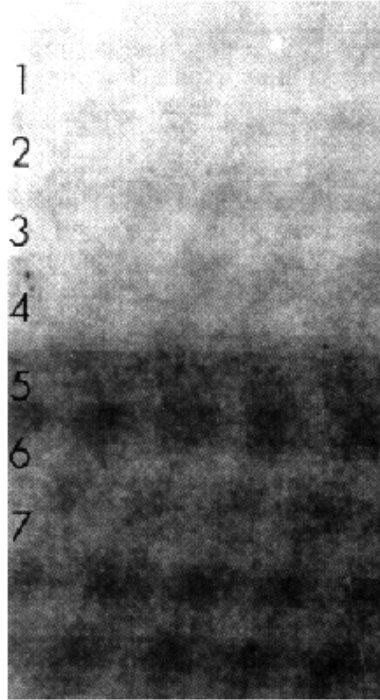
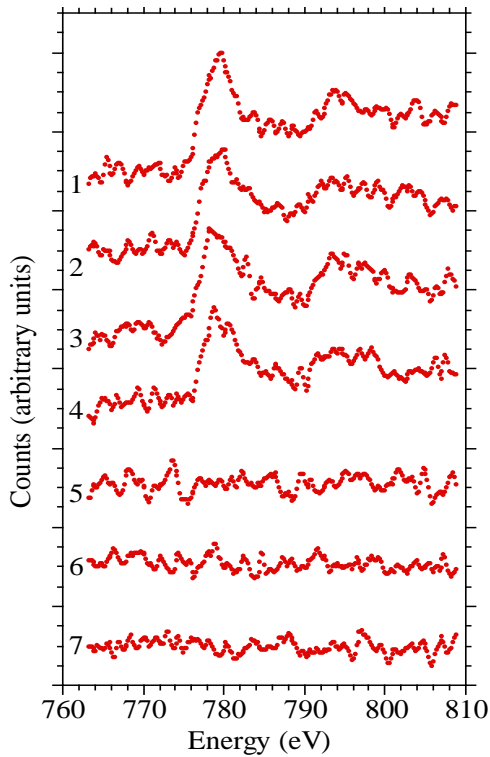


B



Atomic resolution chemical analysis

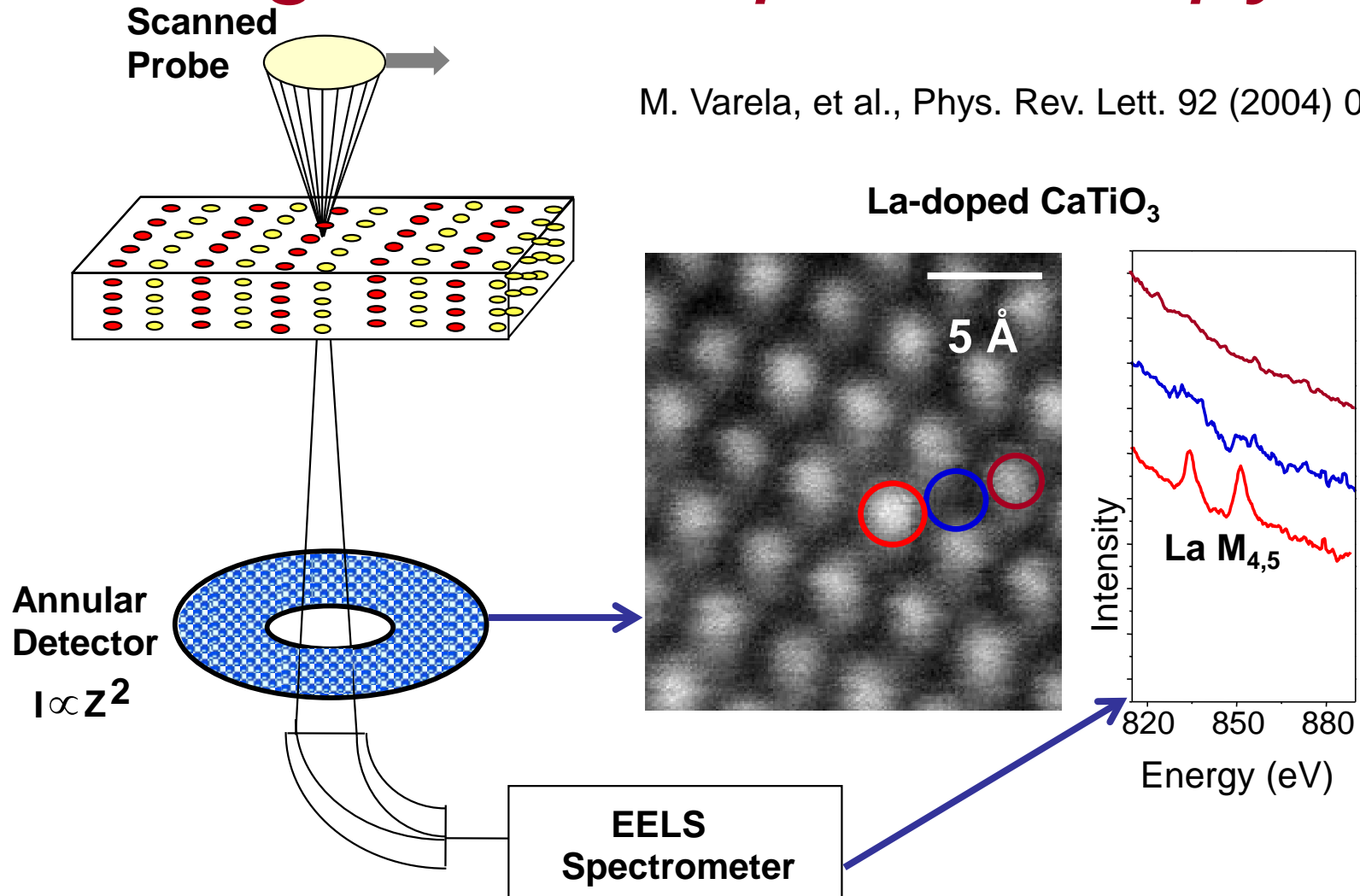
- Edge resolution test on $\text{CoSi}_2/\text{Si}(111)$ interface
- VG Microscopes HB501UX, 100 kV, $\sim 2.2 \text{ \AA}$ probe



Browning, Chisholm, Pennycook, Nature 1993

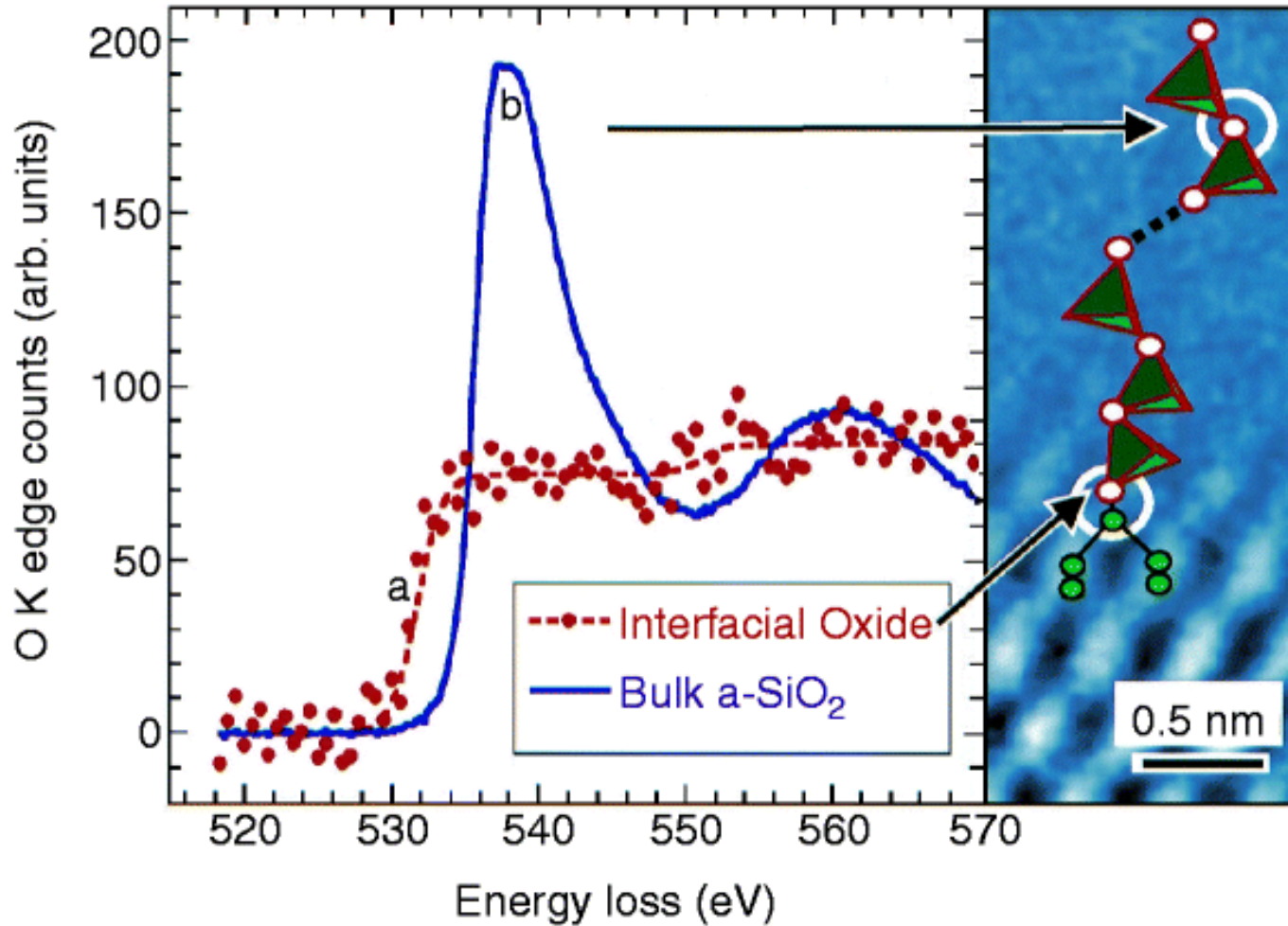
Single Atom Spectroscopy

M. Varela, et al., Phys. Rev. Lett. 92 (2004) 095502



EELS ~ XAS with atomic resolution and sensitivity to 1 atom
~ STM but below the surface

An example

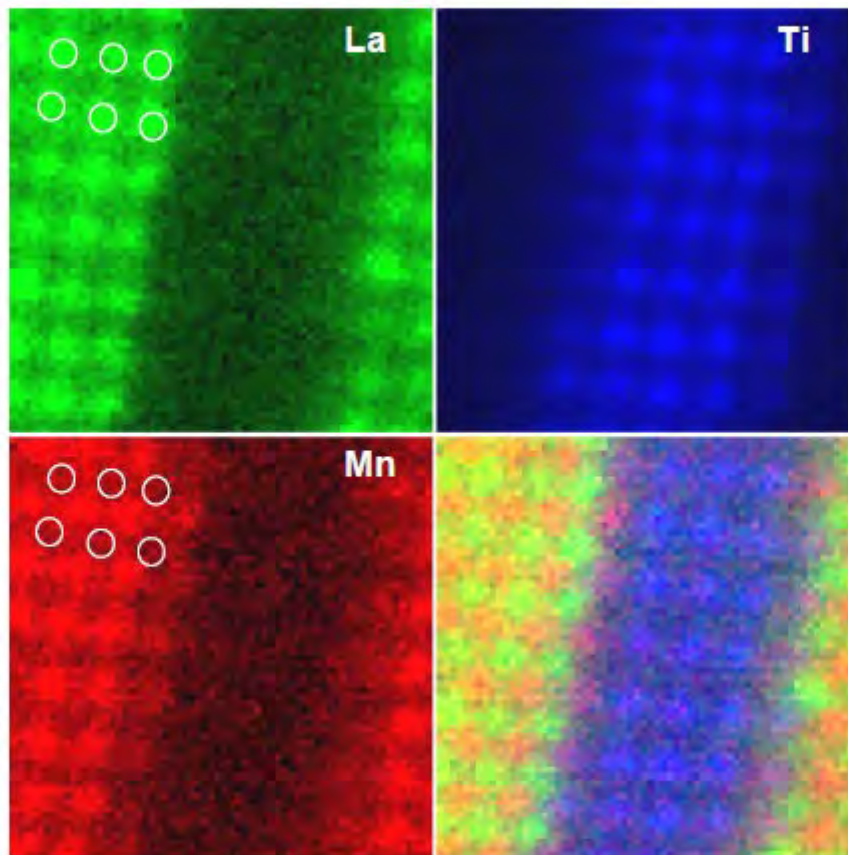


D. A. Muller, Nature 399, 58 (1999)



Chemical Imaging in 2D

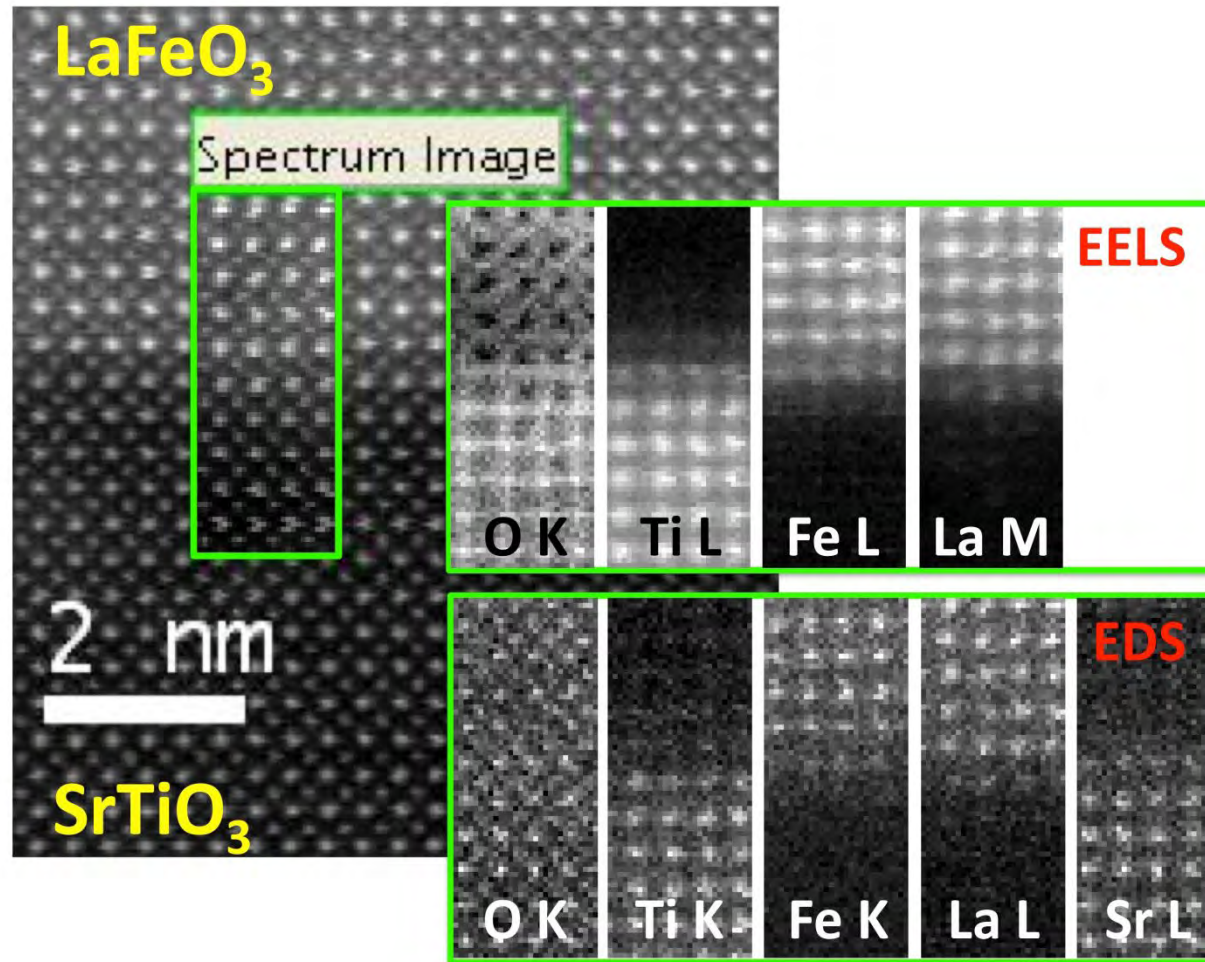
(Integrated counts above background)



EELS map
Of $\text{LaMnO}_3/\text{SrTiO}_3$
recorded
on the Nion SuperSTEM

28 seconds live time
(10 seconds overhead)

Atomic resolution EELS and EDX



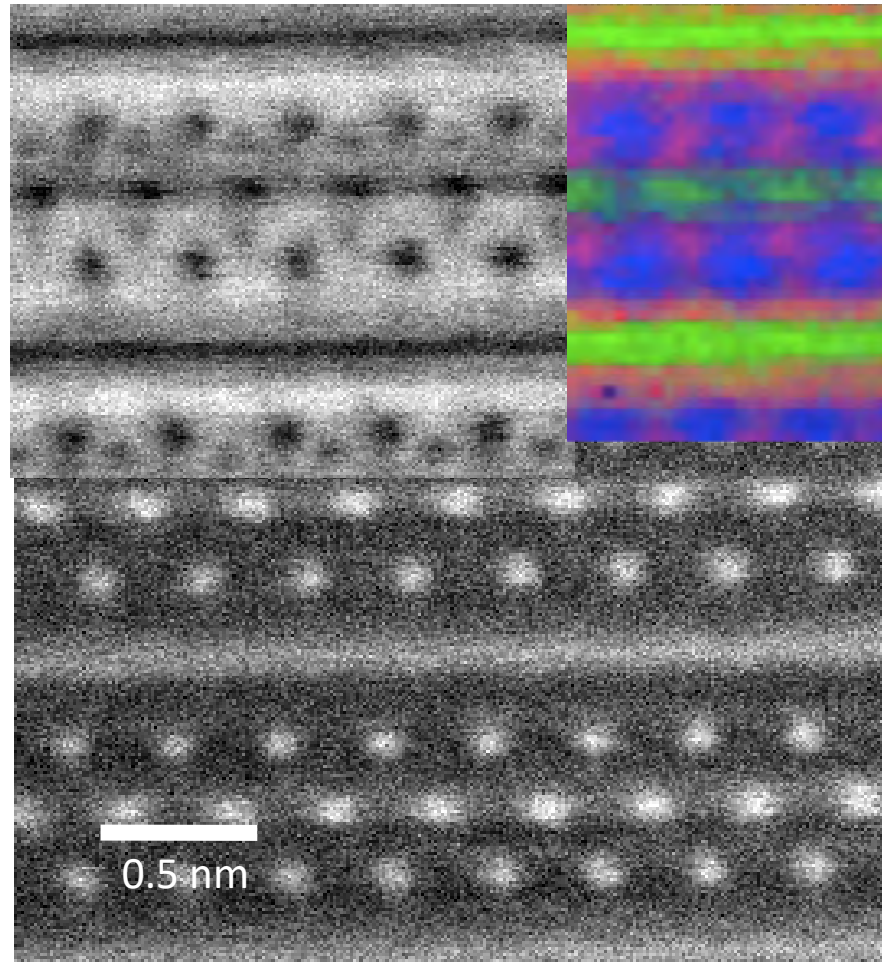
Simultaneously acquired EELS and EDS maps from a $\text{LaFeO}_3/\text{SrTiO}_3$ interface. Principal component analysis was used to remove random noise. Data acquired in a JEOL JEM-ARM200F at 200 kV, courtesy of E. Okunishi (JEOL) and M. Varela (ORNL). Sample courtesy of Jacobo Santamaria's group (Complutense University, Spain).

Atomic resolution Imaging and EELS map with High Energy Resolution

$\text{Ca}_3\text{Co}_4\text{O}_9$
(110)

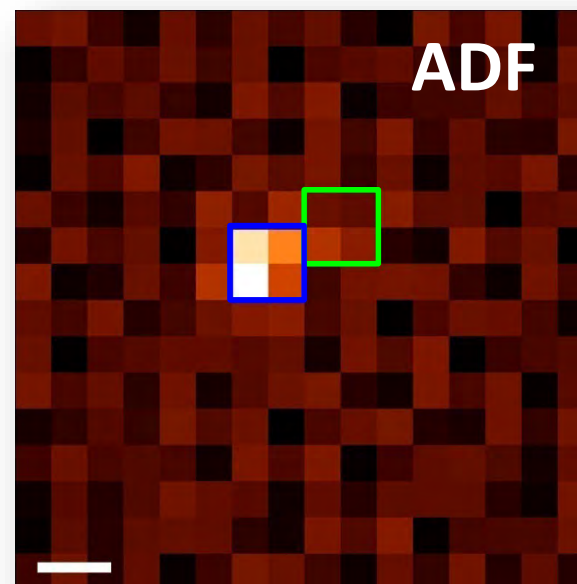
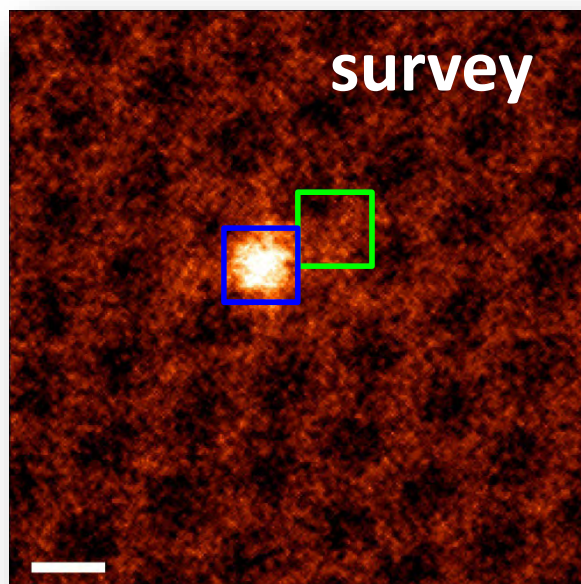
Annular Bright
Field (ABF)

HAADF

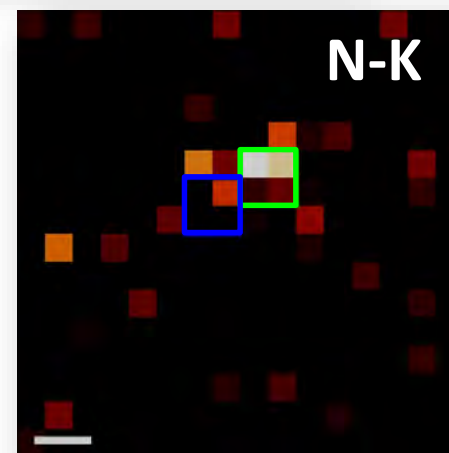
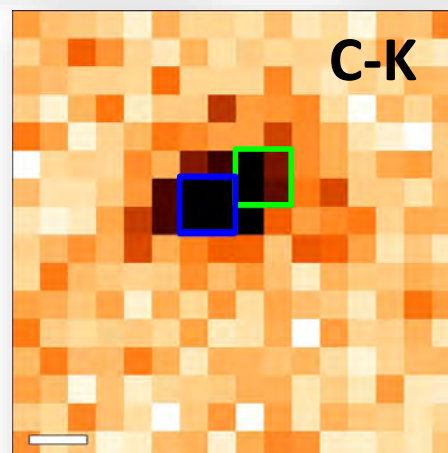
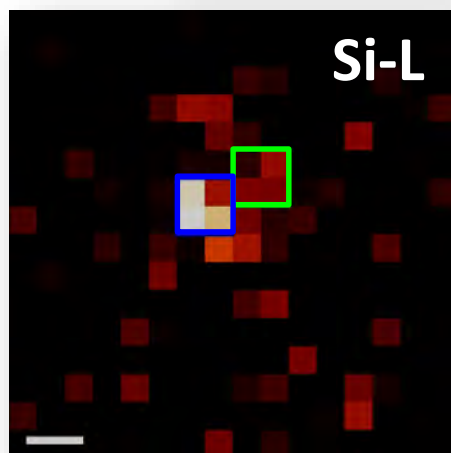


Data courtesy of Dr. Robert Klie, University of Illinois at Chicago

Atom by atom spectroscopy



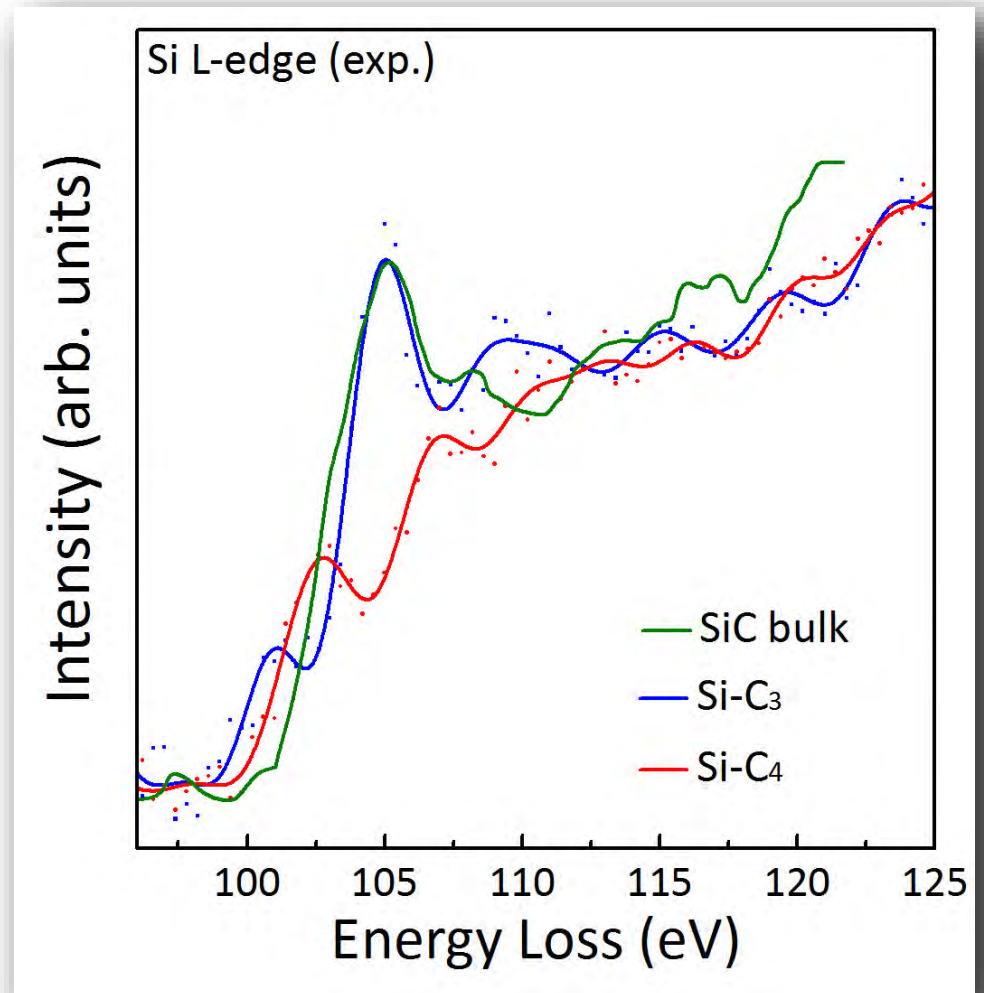
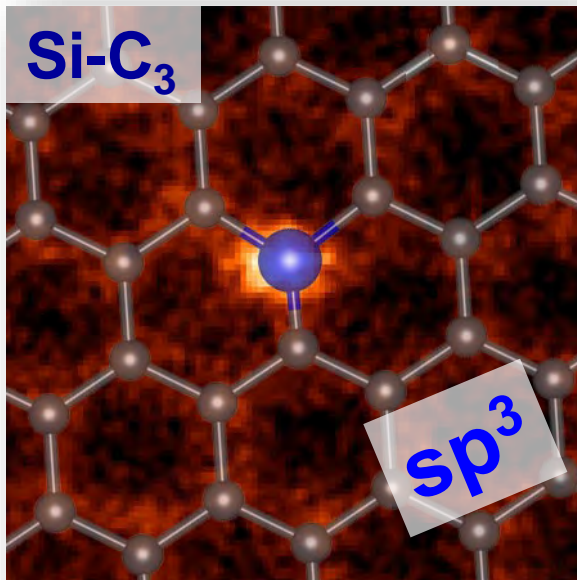
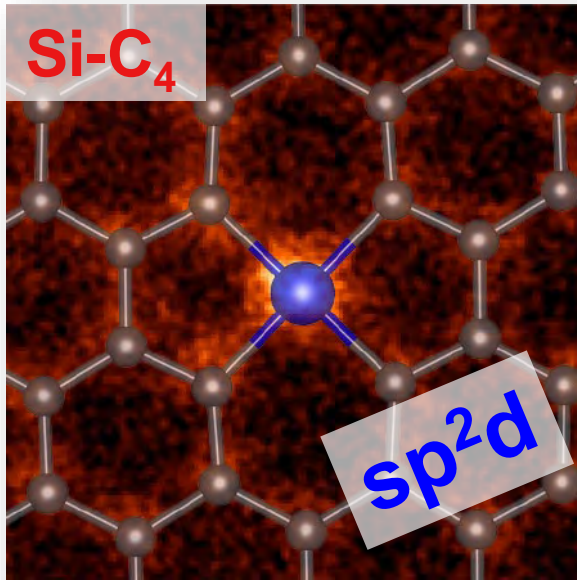
□ N
□ Si



Zhou, W., Lee, J., Nanda, J., Pantelides, S. T., Pennycook, S. J., & Idrobo, J.-C. (2012). Atomically localized plasmon enhancement in monolayer graphene. *Nature nanotechnology*, 7(3), 161–165.

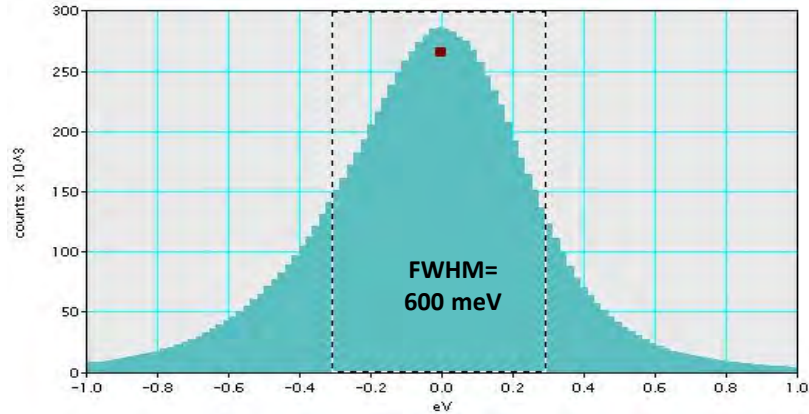
**Materials Science and
Engineering and Scientific
User Facilities Divisions**

Bonding of single Si atoms in the graphene lattice

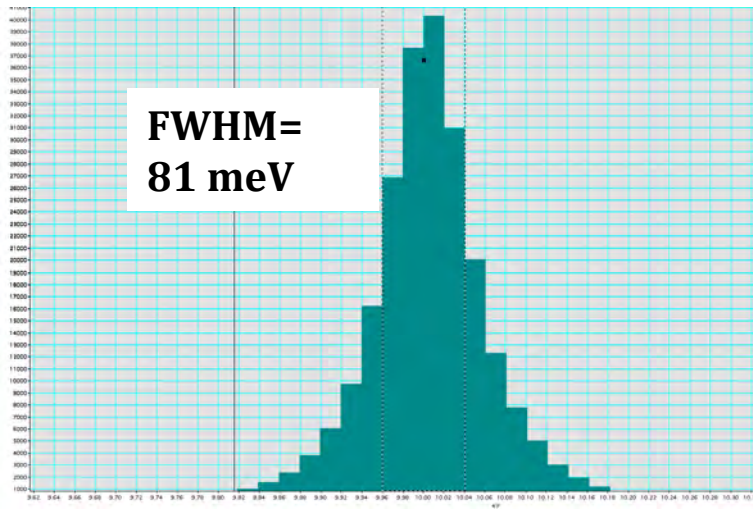


Some 3d states in Si-C₄ structure are missing!

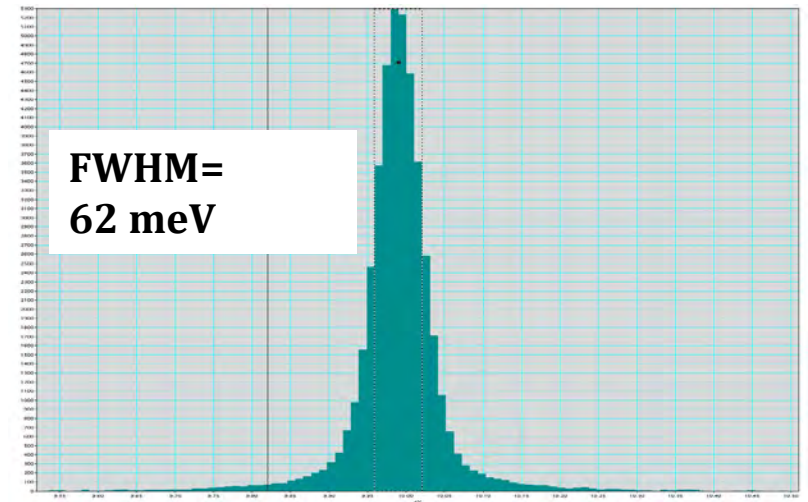
Monochromator / Energy-Filter Performance



No Monochromator @ 200KV



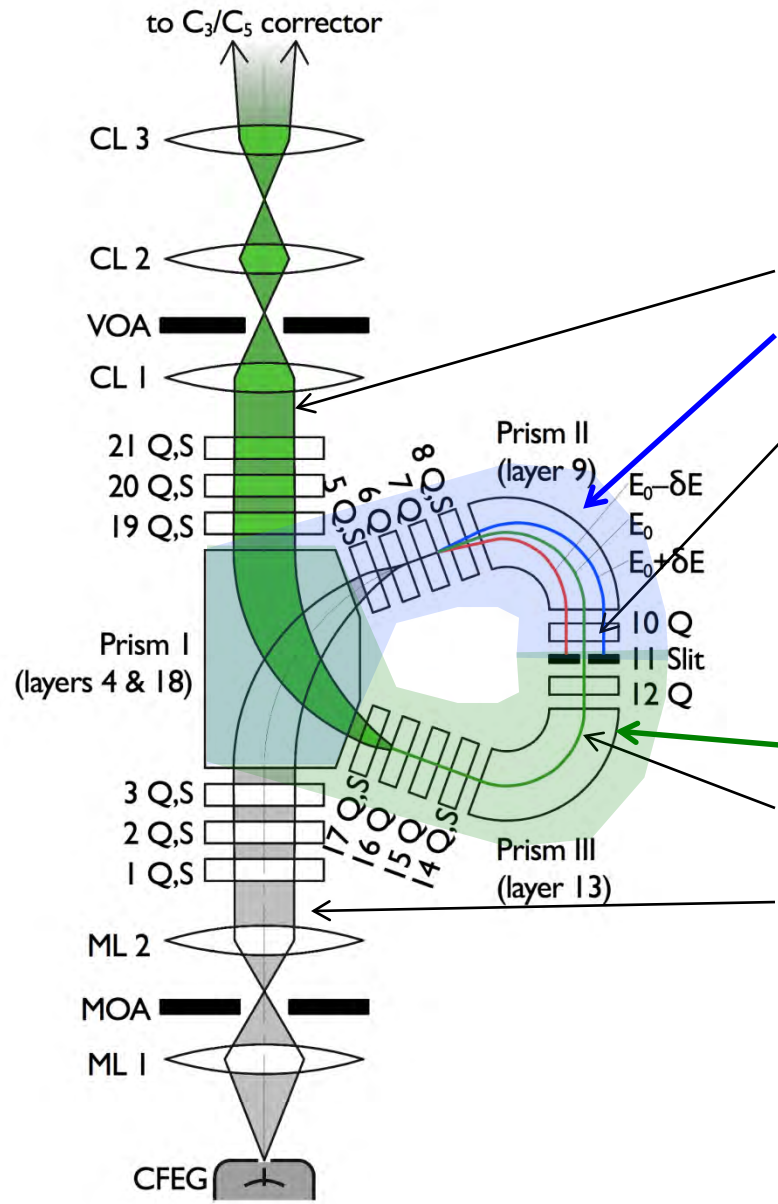
Monochromator 1 μ m Slit @ 200KV



Monochromator 1 μ m Slit @ 80KV

Schematic of the Nion high resolution monochromator

Full description in: Krivanek et al., Phil. Trans. R. Soc. **A 367** (2009) 3683.



un-dispersed outgoing beam

EELS 1

energy-dispersed beam

Energy dispersion at slit is variable from ~ 2 μm/eV to ~ 200 μm/eV

EELS 2

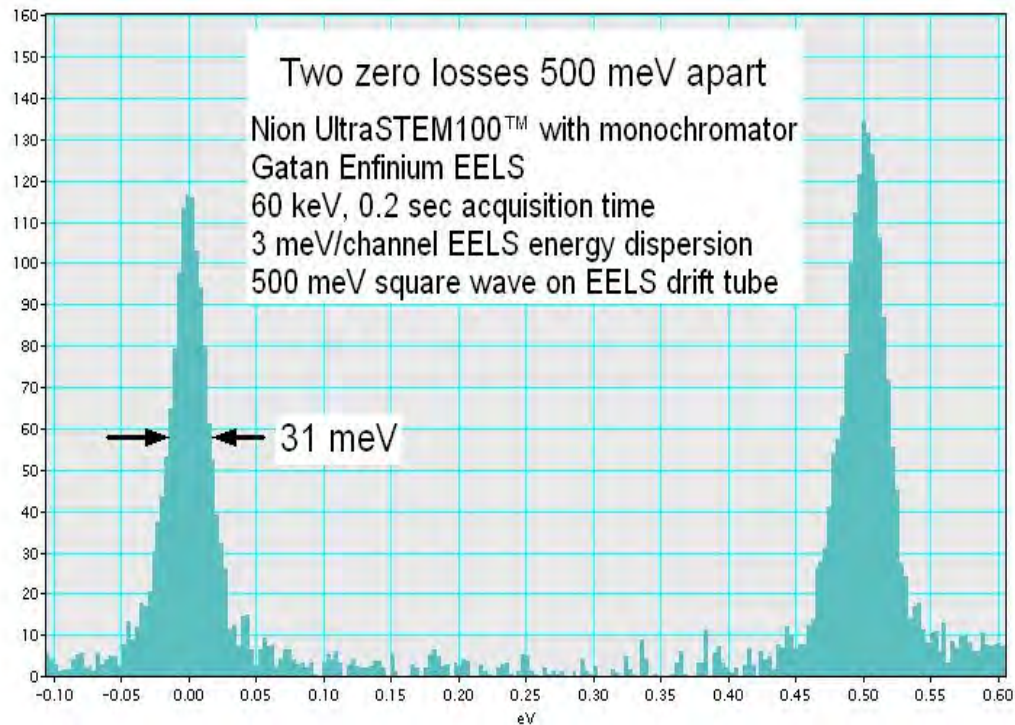
monochromated beam

incoming beam

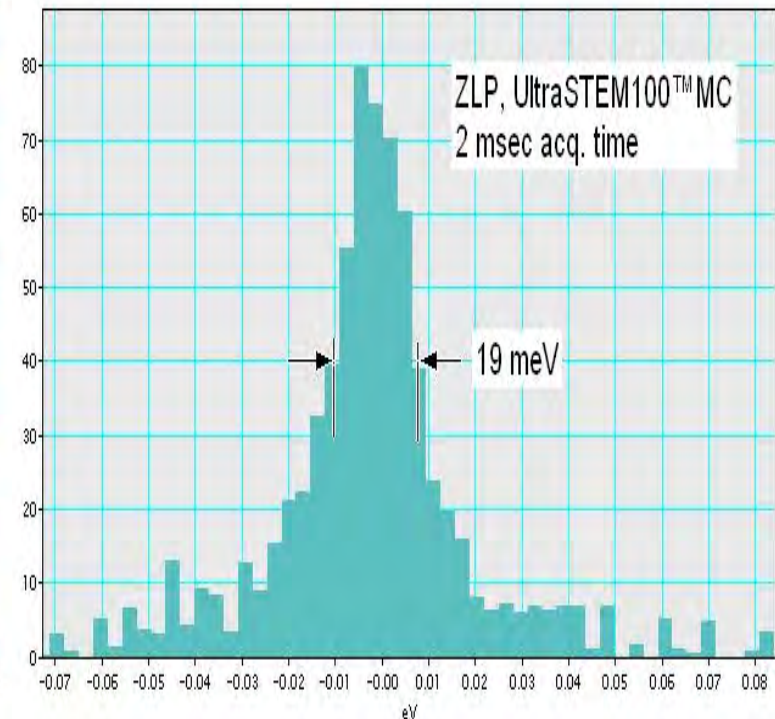
The Nion monochromator is equivalent to 2 parallel EEL spectrometers arranged back-to-back, with an energy-selecting slit in the mid-plane, plus (next slide):



More recent zero loss peaks



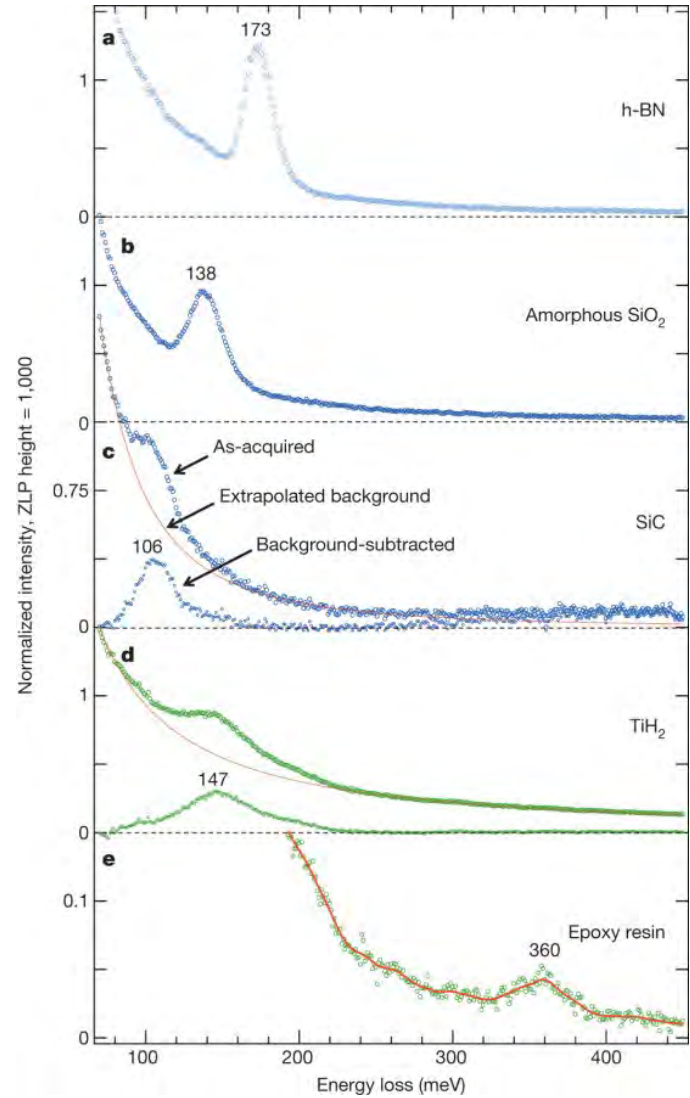
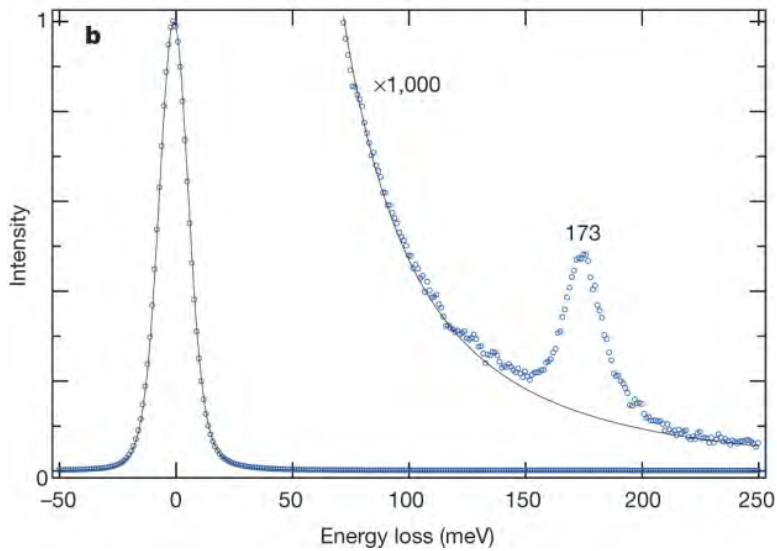
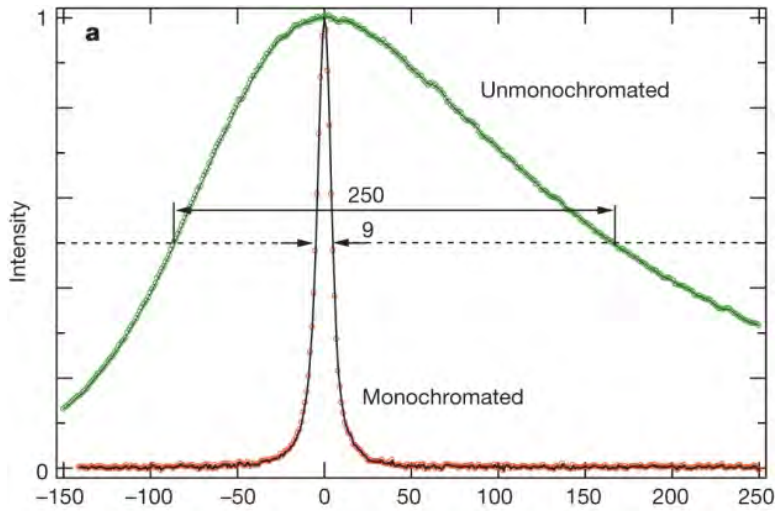
MC in final position, stabilization schemes not yet connected up.



Stabilization scheme 1 connected, but not making much difference: short exposure time is needed to avoid broadening the ZLP.

The instability is due to elements outside the stabilization scheme, e.g. the quadrupoles of the MC or the quads of the EELS. The probe on the sample does not jitter, and this points to the EELS as the source of the problem.

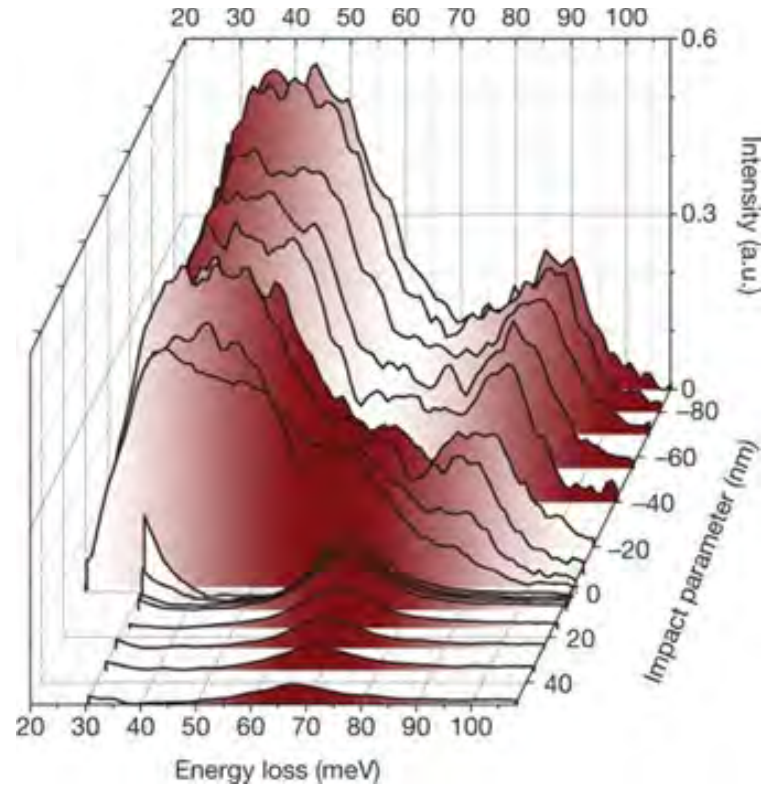
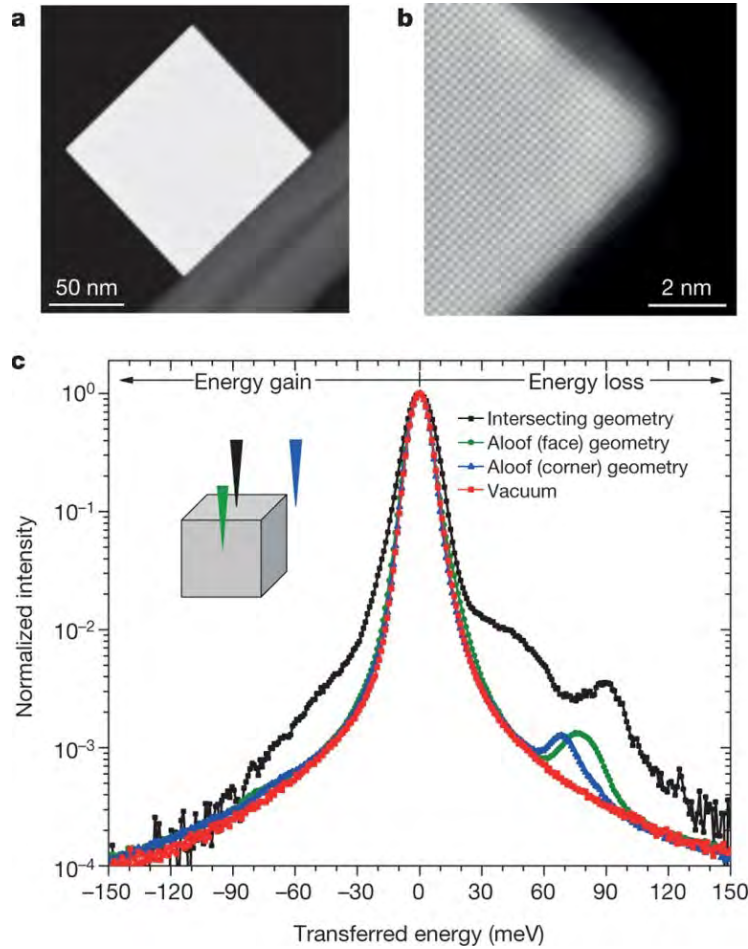
Vibrational EELS.



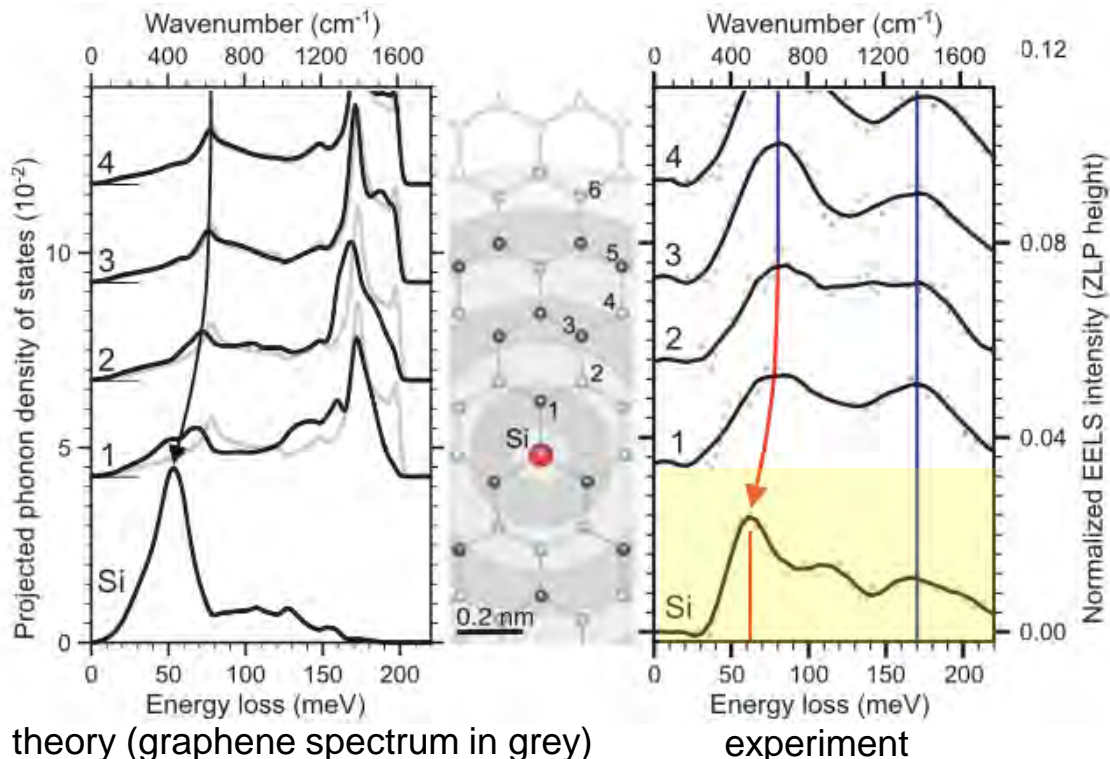
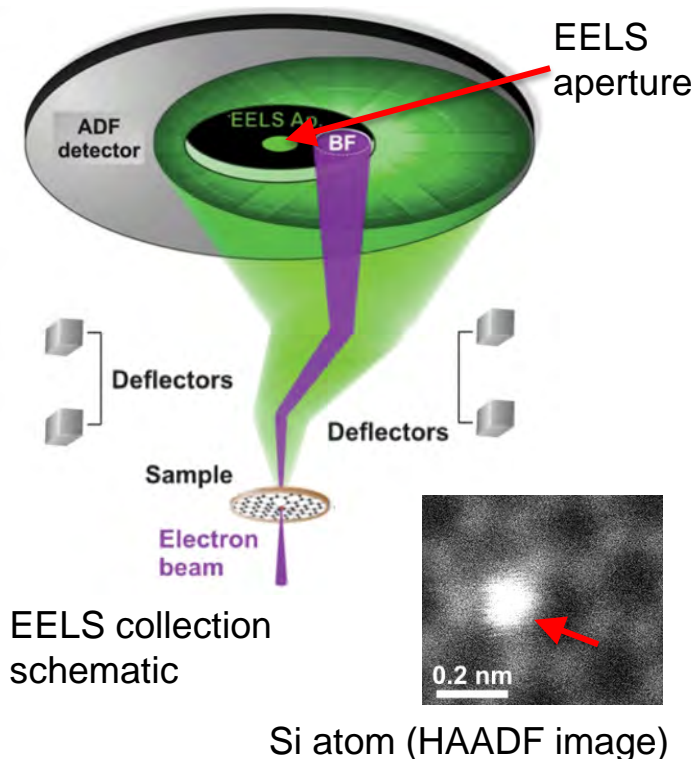
OL Krivanek *et al. Nature* **514**, 209-212 (2014) doi:10.1038/nature13870

nature

STEM Imaging and EELS spectra of MgO cubes



Phonons due to a *single Si atom* in graphene



Hage et al., *Science* **367** (2020) 1124–1127

Phonon spectrum of a single Si atom has been recorded.

EELS Theory



In the first Born approximation, the partial cross section for the inelastic scattering of an electron wave packet (with initial group velocity v), undergoing a momentum transfer \vec{q} and losing energy E ,⁵⁸⁻⁶⁰ is given by

$$\frac{d^2\sigma(E, q)}{dE dq} = \frac{8\pi e^4}{\hbar^2 v^2} \frac{1}{q} \sum_{i,f} |\hat{\epsilon}_q \cdot \langle f | \vec{r} | i \rangle|^2 \delta(E - E_f + E_i) + \dots$$

*Some subtleties as to which density of states is measured see Muller, Singh and Silcox, Phys Rev **B57**, 8181 (1998)*

This is very important if you want to measure charge transfers (you don't – there is no unique definition).

Dipole selection rules: $\Delta l = \pm 1$, $\Delta j = 0, \pm 1$

K-edge: $1s \rightarrow p$ L-edge: $L_1: 2s \rightarrow p$; $L_{2,3}: 2p \rightarrow d, s$;

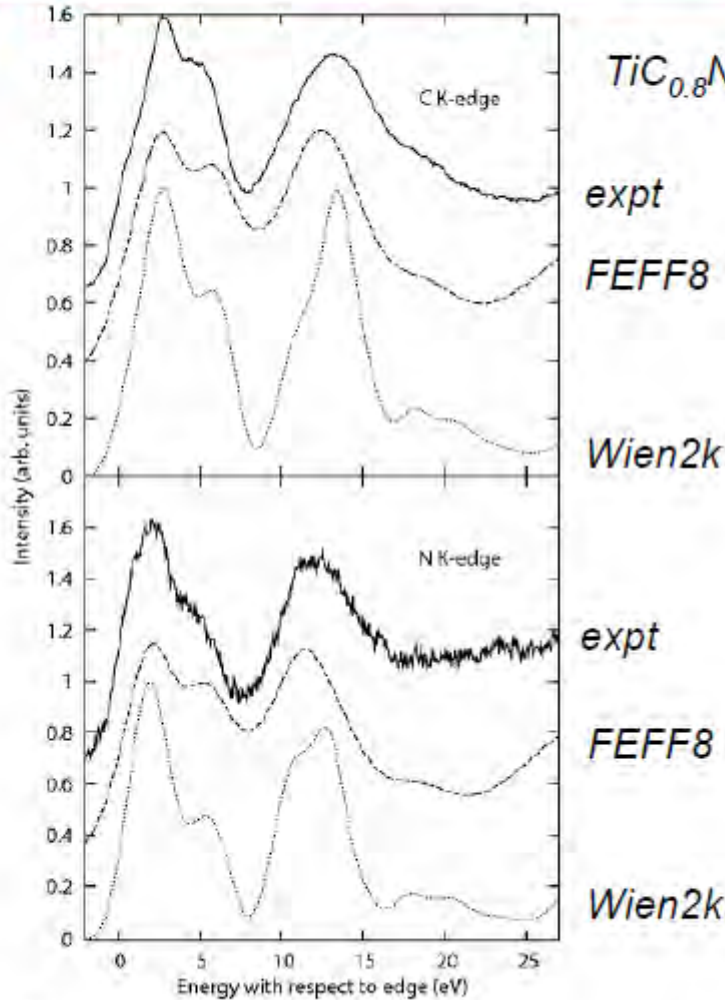


Calculation of the Final States

- *Cluster Methods: good for defects & clusters, often easier to run*
 - *Muffin-Tin Potential (OK for Metals, bad for semiconductors)*
 - *FEFF7 – no self-consistency: must guess charge transfers*
 - *FEFF8 – self-consistent: good for metals*
 - *Full Potential*
 - *FDMNES – no self-consistency, but it can input potentials from Wien2k*
- *Bandstructure methods: (3D periodic structures or supercells)*
 - *Almost all bandstructure codes are self-consistent now*
 - *Muffin-Tin Potential*
 - *LMTO – good for close-packed structures, esp. metals*
 - *Full Potential*
 - *FP-LAPW*
 - *Wien2k – easy to calculate matrix elements & core hole effects*
 - *Plane-wave codes (faster and less prone to artifacts than APW codes)*
 - *ABINIT (free, open-source and downloadable from abinit.org)*
 - *VASP (commercial)*
 - *CASTEP (commercial, fancy user interface)*

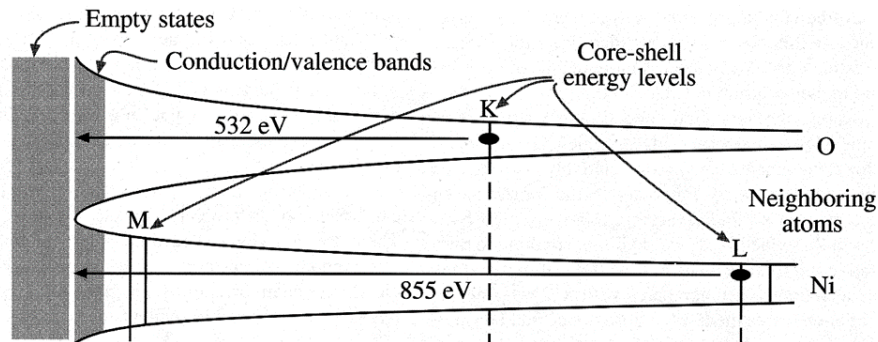


Wien2k vs FEFF8



Lionel Calmels, Claude Mirguet, and Yolande Kihn
PHYSICAL REVIEW B 73, 024207 (2006)

Core Hole Problem



+ve potential of departing core electron changes energy levels

- **No core hole (ground state)**
 - usually not a good approximation (maybe in metals ?)
- **Z+1 approximation (eg., replace C by N)**
 - also not very good
- **Core-hole (supercell) calculations:**
 - remove 1 core electron on ONE atom in the supercell, add 1 electron to conduction band
 - remove 1 core electron, add 1 electron as uniform background charge, considers statically screened e-h coulomb correlation
 - fractional core hole (Slater $\frac{1}{2}$ method)

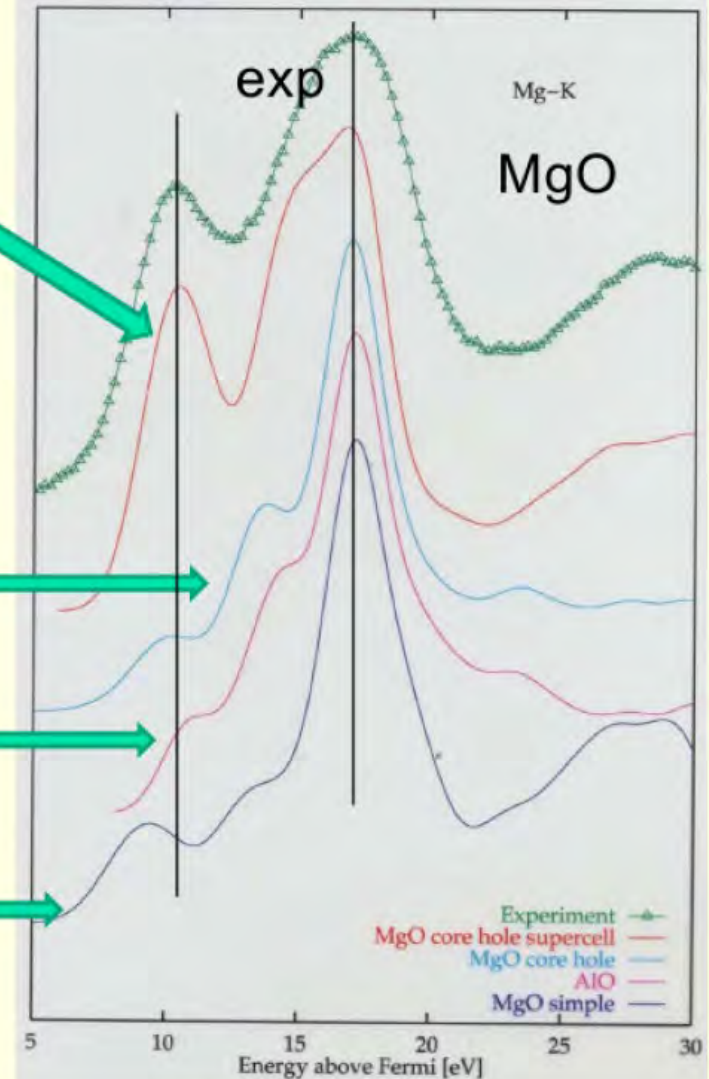
Comparison

2x2x2 supercell calculation, with core hole in one of the Mg atoms. This allows the conduction state to relax (adjust to the larger effective nuclear charge), but also to have static screening from the environment.

core hole, no supercell:

Z+1 (AlO)

groundstate



Summary

- EELS can give chemical information, more interesting (IMHO) is electronic
- Simulations are becoming decent
- Significant recent instrument improvements
- ***But***, dynamical diffraction is ignored
 - OK if off a zone axis
 - Incorrect in general
 - I will return to this...